



Thermal Analysis of IC Packages

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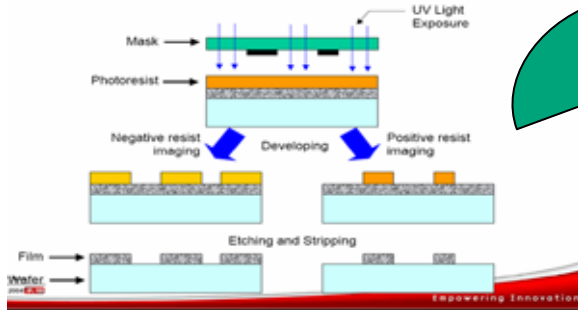
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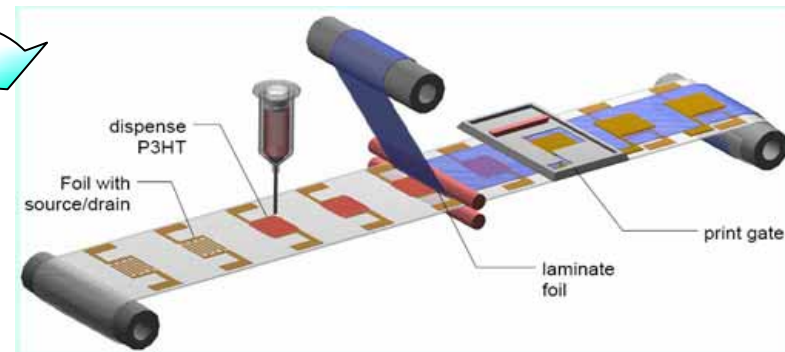


Flexible Electronics Technology

- **Flexible Electronics Technology:** Flexible electronics is a generic term that represents a range of device and materials technologies built on **flexible and conformal substrates** such as **thin plastic or metal foils**. Flexible electronics, using **amorphous and low-temperature polysilicon and organic semiconductor materials**, is an area that is beginning to show tremendous promise. (Source: Proceeding of the IEEE)
- **Printed Electronics**, being **thin film silicon or inorganic or organic semiconductors**, can be used to form Thin Film Transistor Circuits (TFTCs), such as **replacing the functionality of simple silicon chips**. ...Often they will be made by **rapid, high-volume reel-to-reel processing** even forming a part of regular printing processes for graphics. These circuits will be **cheap enough** to permit electronics where envisaged silicon chips are always or almost always too expensive, where multiple components are needed, and where silicon is impractical (e.g. not flexible, brittle, thick etc). (Source: Printed Electronics Review, IDTechEx)



Photolithography Process



R2R Process (Screen Printing, Inkjet Printing,...)



Outline

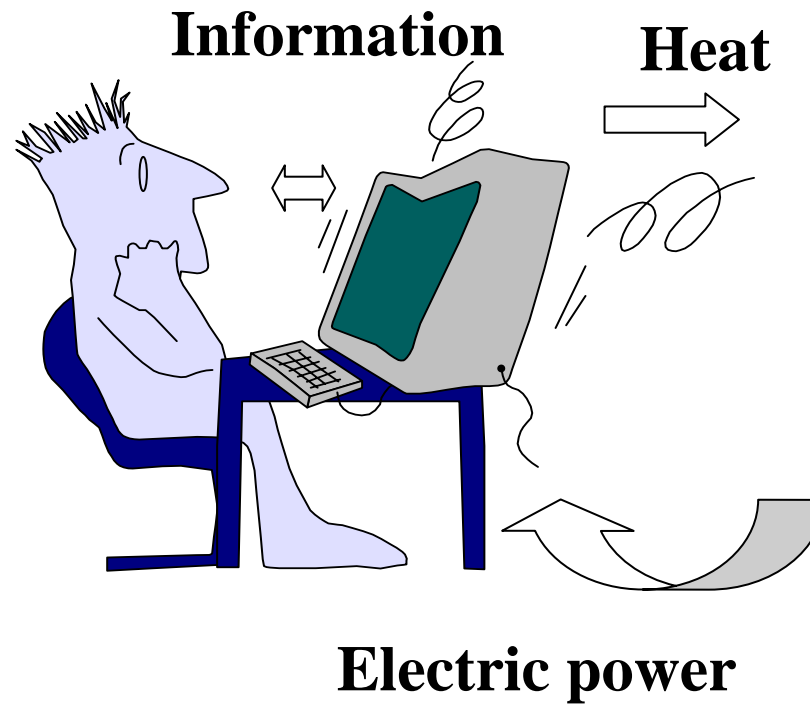
- Issues in electronic cooling
 - Overview of heat transfer in electronic cooling
 - Numerical analysis of electronic cooling - thermal network method
 - Thermal analysis of heat sink
-
- Measurement of thermal resistance
 - Thermal performance of PBGA
 - The future
 - Conclusions



Issues in Electronic Cooling

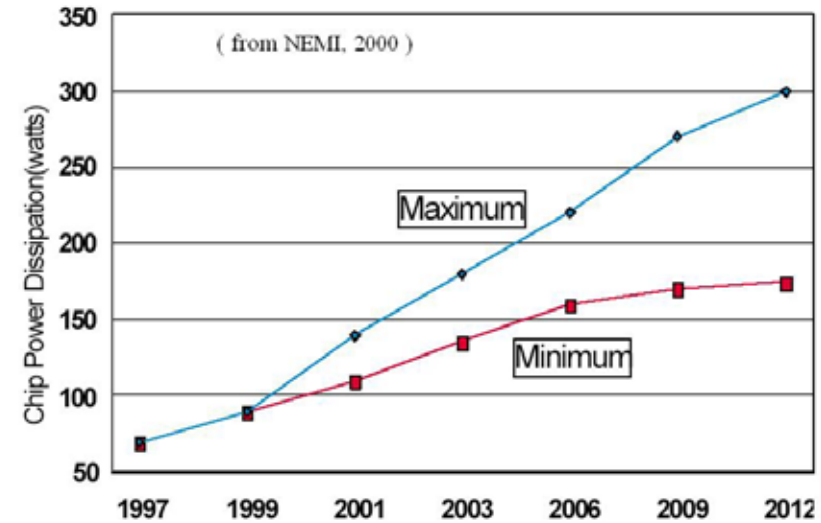
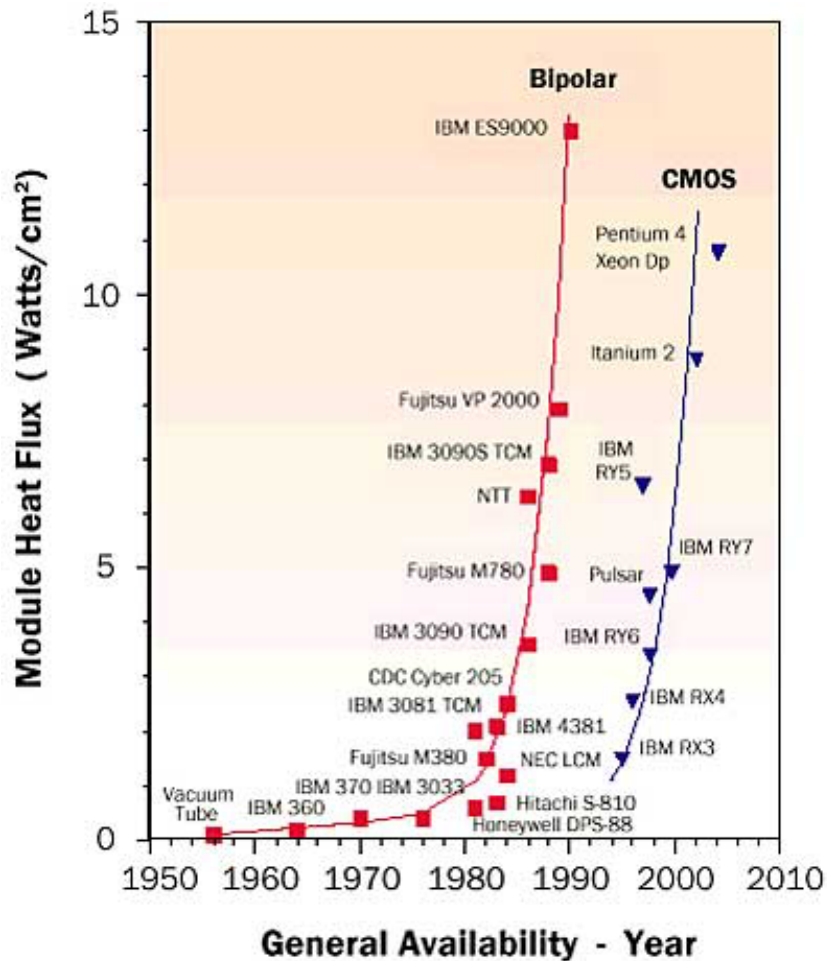


Electronic Cooling





Trends of Power Dissipation



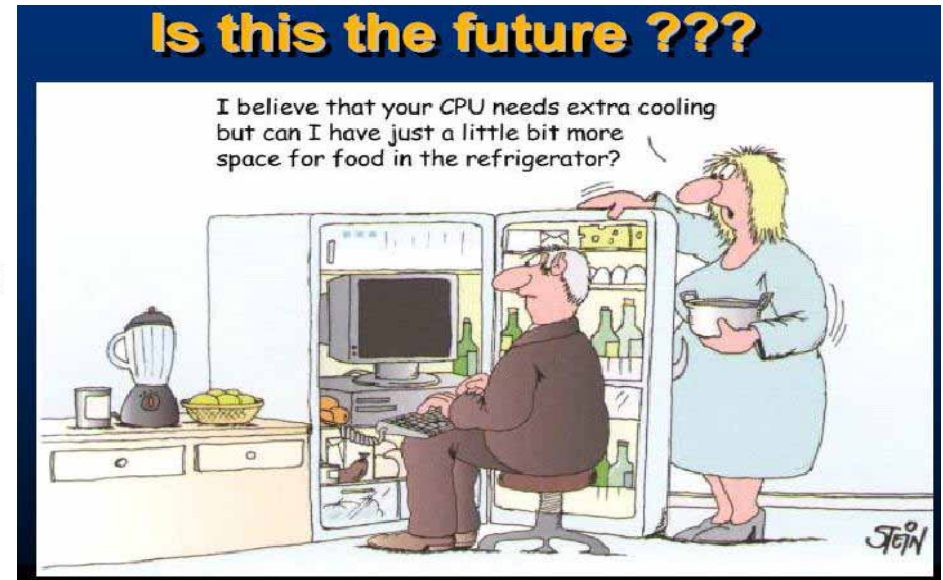
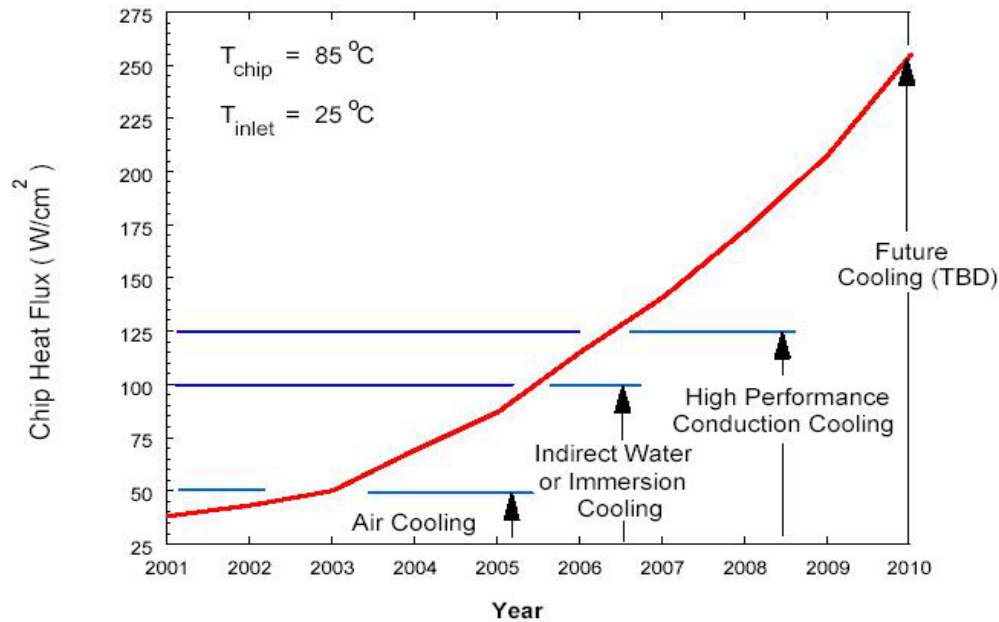
ITRS 2001 Projections from 2001 (0.13 μm) to 2016 (0.022 μm)¹

Chip Features	Power ² W	Temperature Limits (°C)		Chip Features	
		Junction	Ambient	Size mm ²	Perf. MHz
Commodity products (< \$300) (Micro-controllers, disk drives, displays)	n/a	125	55	57-90	415-10,000
Handheld products (< \$1,000) (Mobile products, cellular telecommunications)	2.4-3	100	55	57-90	415-10,000
Cost/Performance products (< \$3000) (Notebooks, desktops, PCs)	61-158	85	45	170-307	1,700-29,000
High Performance products (> \$3000) (High end work stations, servers, avionics)	130-288	85	45	310-310	1,700-29,000
Automotive (Under-the-hood sensors, passenger products)	14-27	150	-40-125	60-150	60-234

1. Excluding memory 2. Single chip packages



New Cooling Technologies Are Needed



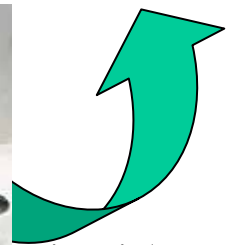
University Presentation | P. C. Chu | Nov. 12, 2010



Heat Sink w/ Fan



Fan w/ Heat Pipe



Liquid Cooling



Issues Induced by Heat

- Temperature too high: burned-out



- Pentium 4 2.0GHz : lower operating frequency, continuously works
- Pentium 3 1.0GHz : device down when overheat. No damaged
- Athlon 1.4GHz (ThunderBird) : No protection, damaged if temperature exceeds 370 C
- Athlon 1.2GHz (Palomino) : No protection. damaged if temperature exceeds 300 C

- Temperature gradient induces noise between devices

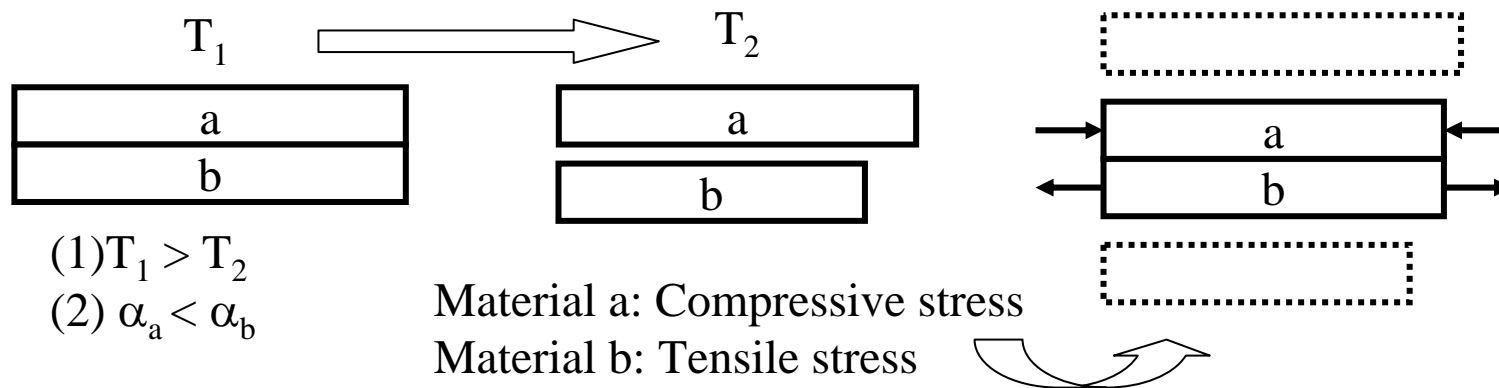
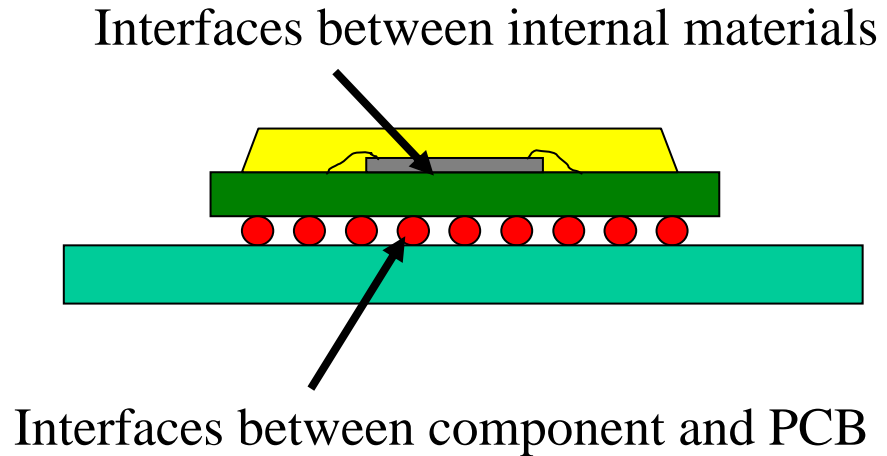




Issues Induced by Heat

- Mismatch of CTE induces thermal stress

Material	CTE (ppm/C)
Si	4.2
Die Attach	50.0
Copper	17.0
Gold	14.3
Alloy 42	6.4
Molding Compound	17.0
Solder	26.0
BT substrate	14~17
FR-4 PCB	17



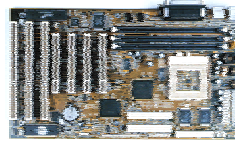
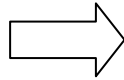


Hierarchy of Electronic Cooling



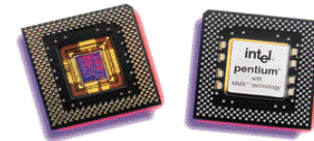
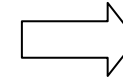
System Level

- FRAME, SHELF & PCB PHYSICAL/THERMAL PROPERTIES
- PCB POWER LEVELS
- FAN DATA
- FRAME AMBIENT



Board Level

- CHANNEL, BOARD & COMPONENT PHYSICAL/THERMAL PROPERTIES
- COMPONENT POWER LEVELS
- CHANNEL THERMAL & FLOW AMBIENT



Component Level

- COMPONENT/CHIP PHYSICAL/THERMAL PROPERTIES
- CHIP POWER LEVELS
- BOARD & CHANNEL AMBIENT
- JUNCTION TEMP
- THERMAL RESISTANCE

INPUT DATA

OUTPUT DATA

- AVERAGE PCB TEMP
- MEAN CHANNEL AIR VELOCITY
- MEAN CHANNEL AIR TEMP
- FAN SELECTION

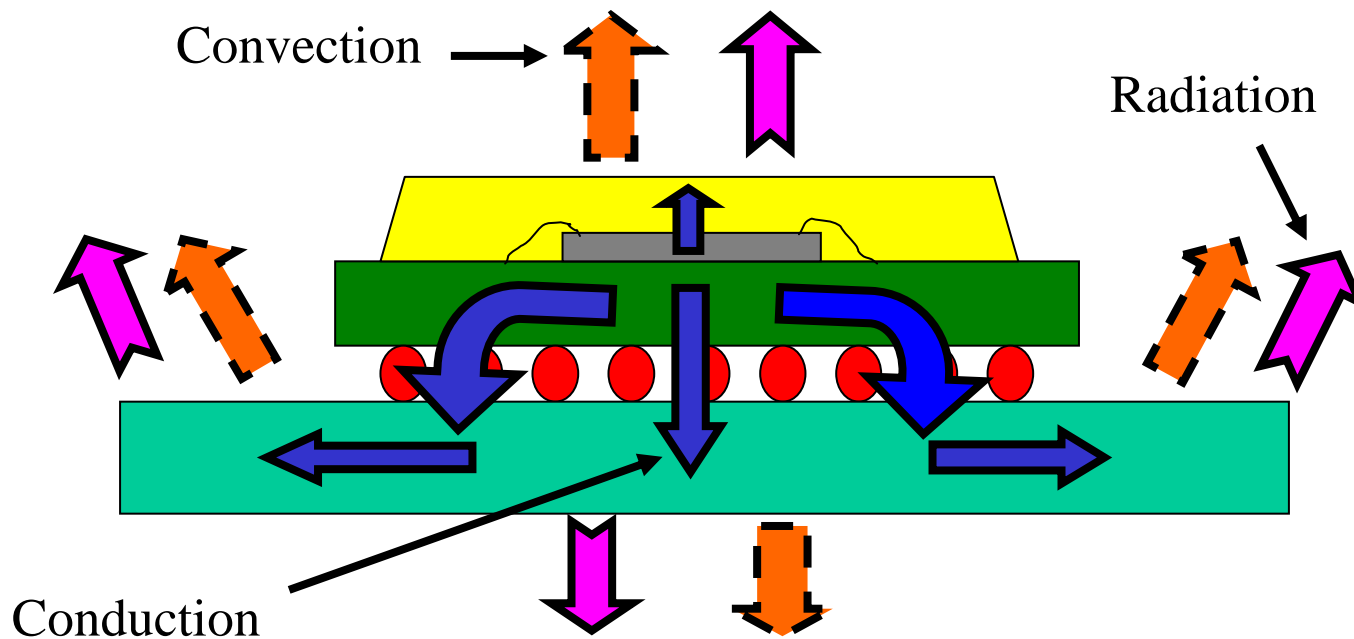
- COMPONENT CASE TEMP
- BOARD TEMP PROFILE
- CHANNEL TEMP PROFILE



Overview of Heat Transfer in Electronic Cooling

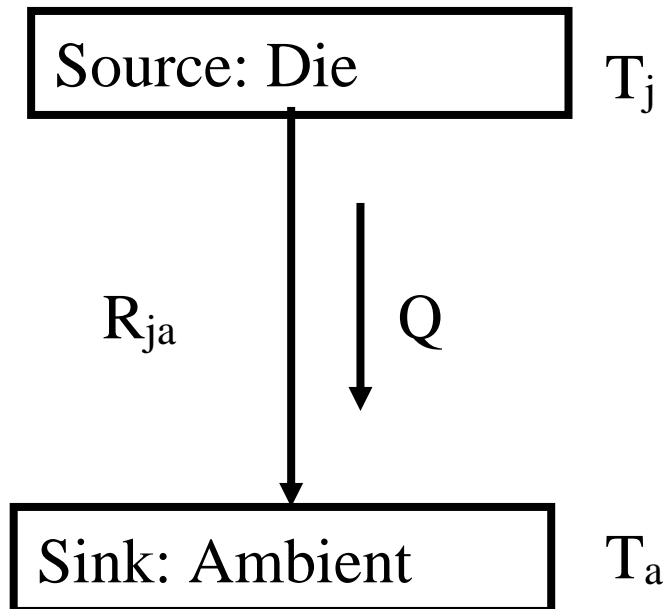


Heat Transfer Path in IC Package





Thermal Resistance



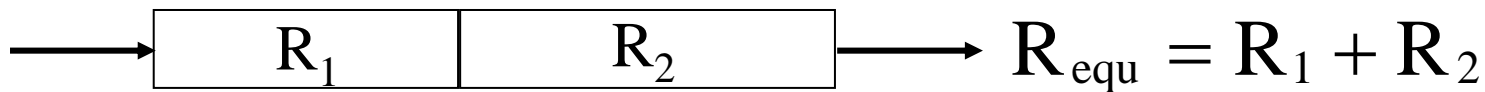
- Thermal resistance
 - An index to identify the ability of thermal design
 - Unit : C/W

$$R_{ja} = \frac{T_j - T_a}{Q}$$
$$= \frac{T}{Q}$$

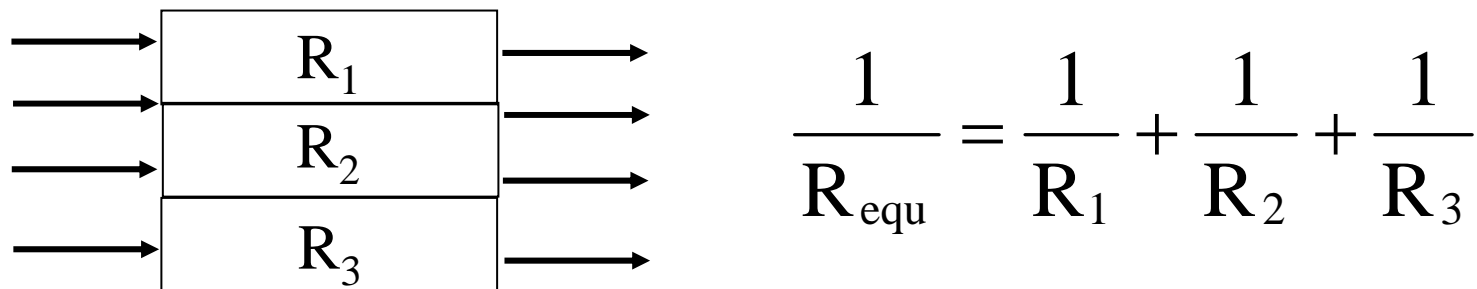


Combination of Thermal Resistances

- Series



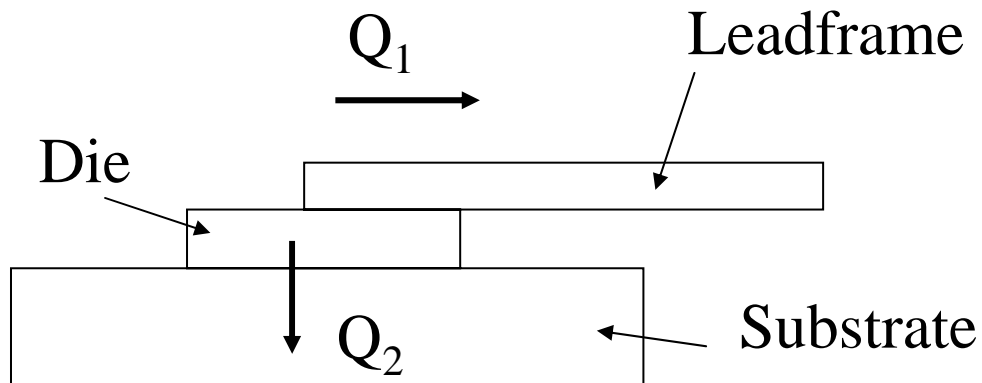
- Parallel





Calculation of Thermal Resistance

- Is It Correct?



$$\frac{1}{R_{\text{equ}}} = \frac{1}{R_1} + \frac{1}{R_2}$$

?

R_1 : thermal resistance of die and substrate

R_2 : thermal resistance through the lead frame



Thermal Resistances in Component Level

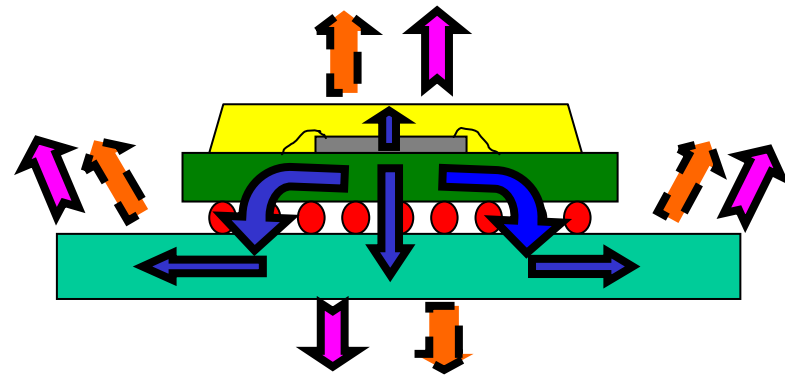
- Total Thermal Resistance R_{ja} : die junction - to - ambient
- Internal Thermal Resistance R_{jc} : die junction - to - case
- External Thermal Resistance R_{ca} : case - to -ambient

$$R_{ja} = R_{jc} + R_{ca}$$

$$R_{ja} = (T_j - T_a)/Q$$

$$R_{jc} = (T_j - T_c)/Q$$

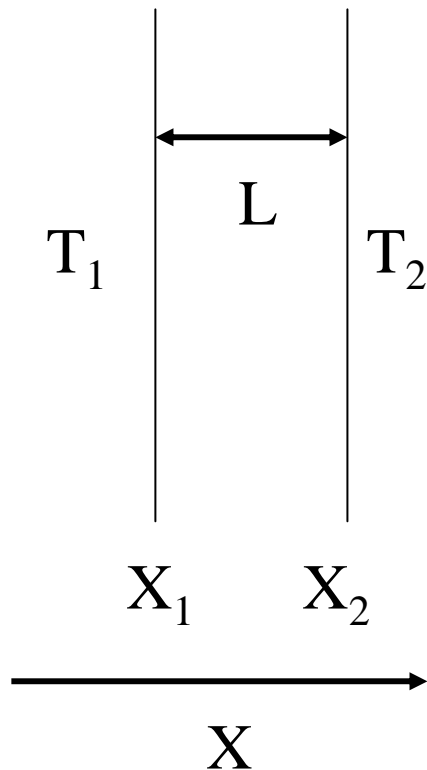
$$R_{ca} = (T_c - T_a)/Q$$





One Dimensional Model

- 1-D steady state without heat generation



$$\frac{d^2T}{dX^2} = 0$$

$$\frac{dT}{dX} = C_1$$

$$T(X) = C_1X + C_2$$

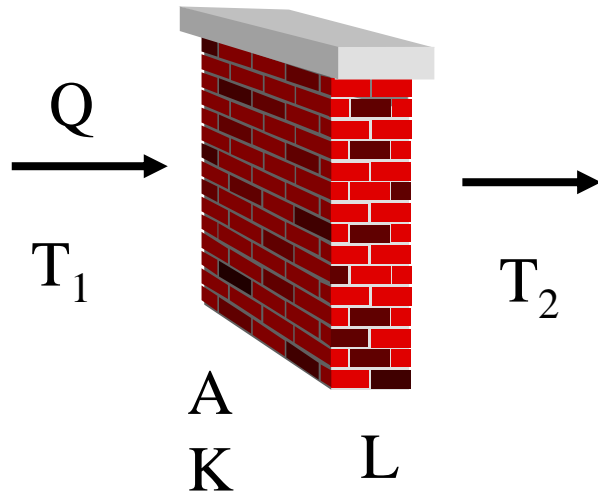
Boundary Condition

$$T(X_1) = T_1, \quad T(X_2) = T_2$$

$$T(X) = (T_2 - T_1) \frac{X}{L} + T_1$$



Conductive Thermal Resistance



Fourier's law

$$Q = -KA \frac{dT}{dX}$$

$$Q = KA \frac{T_1 - T_2}{L}$$

Conductive thermal resistance

$$\Delta T = RQ$$

$$R = \frac{L}{KA}$$

R: Thermal resistance (C/W)

L: Length of heat transfer path (m)

K: Thermal conductivity (W/mC)

A: Cross-sectional area (m²)



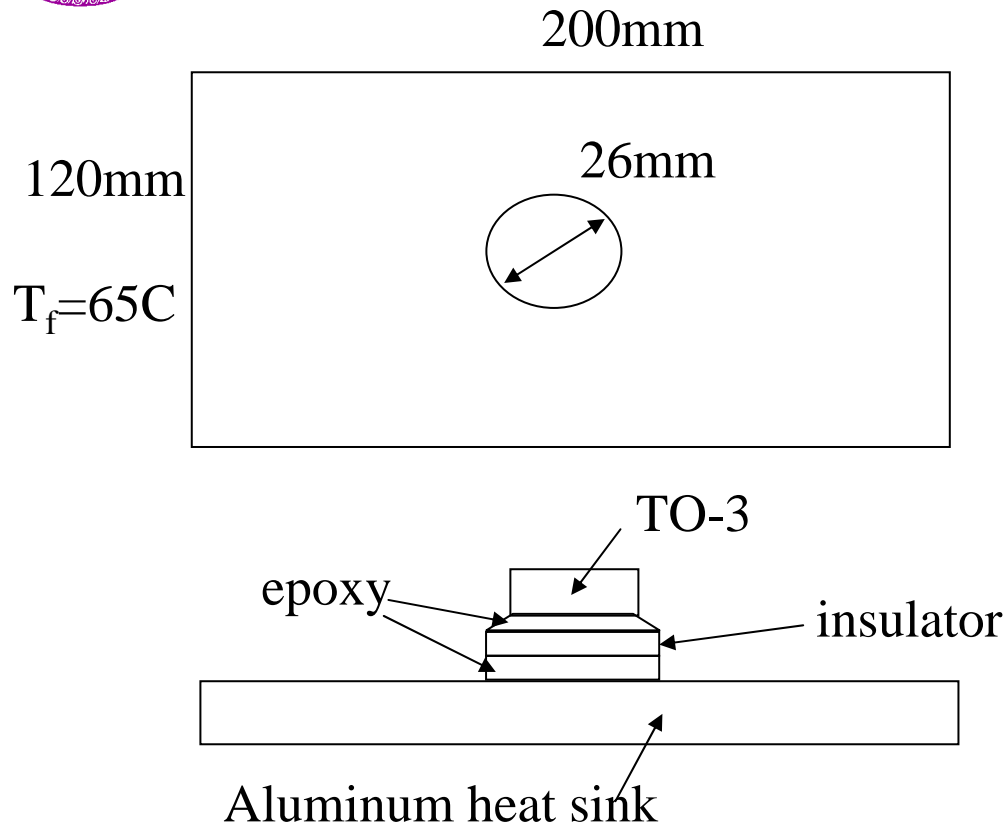
Thermal Conductivity

- Thermal conductivity
– Unit: W/mC

Material	Thermal conductivity (W/mC)
Si	85~147
GaAs	58.0
Air	0.02624
EME-6300H	0.67
Alloy 42	15.9
C7025	170.3
KLF-125	151.2
Al 6061	155.0
63Sn/37Pb	50.0
Cu	386
BT	0.17
Al ₂ O ₃ (96%)	25.9



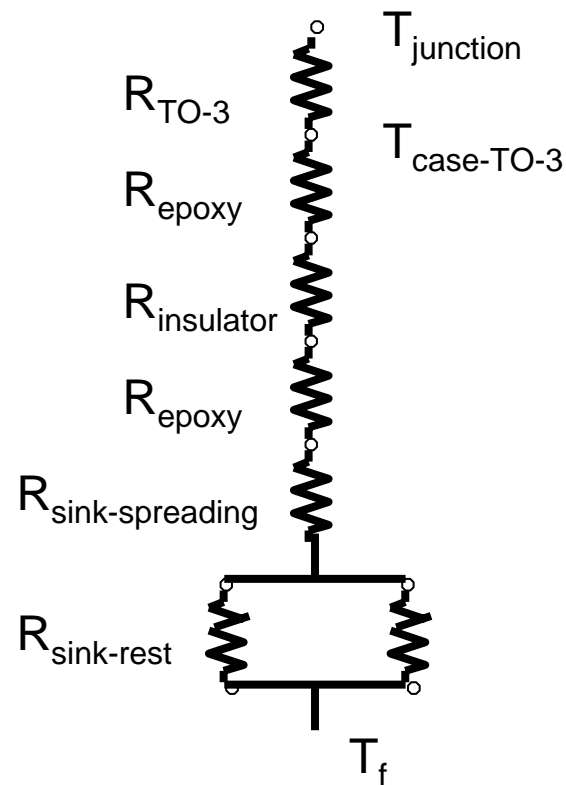
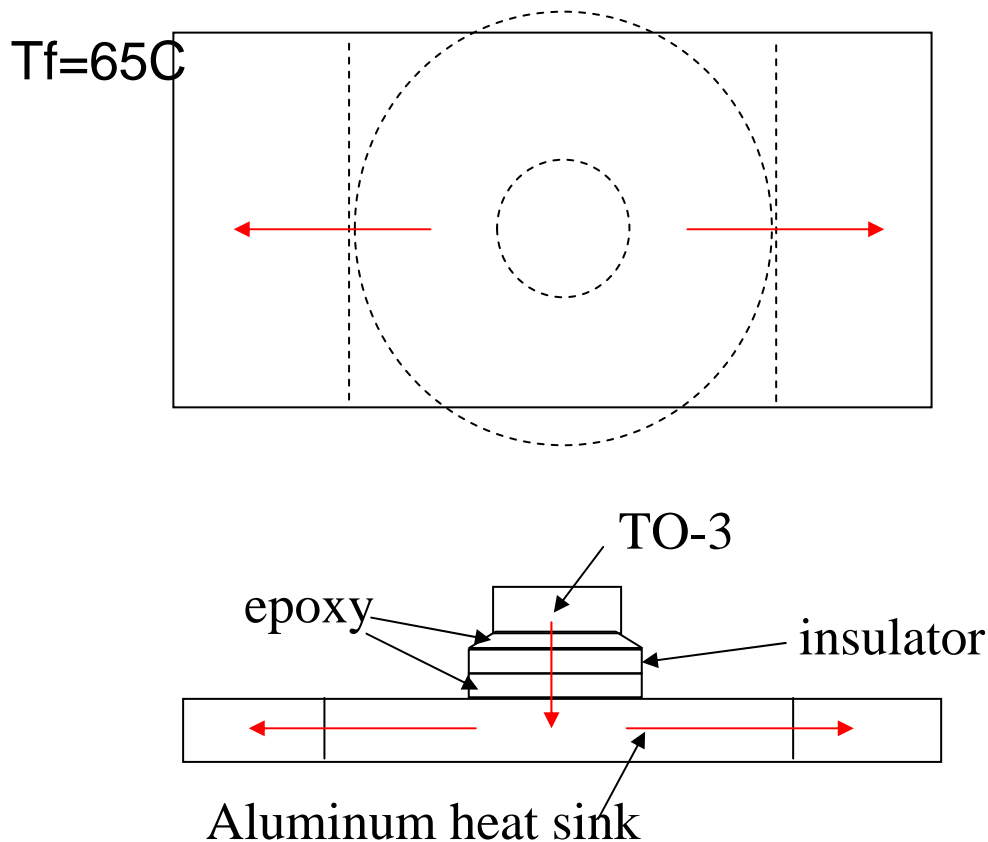
Example: Thermal Analysis of TO-3



- TO-3: $R_{jc} = 1.52 \text{ C/W}$
- Epoxy
 - thickness = 0.025mm
 - $K = 0.0004 \text{ W/mmC}$
- Insulator
 - thickness = 1.5mm
 - $K = 0.0276 \text{ W/mm C}$
- Aluminum heat sink
 - thickness = 10mm
 - $K = 0.2165 \text{ W/mm C}$
- Temperature of the farthest edge = 65 C
- $T_j = ? @ Q = 55 \text{ W}$



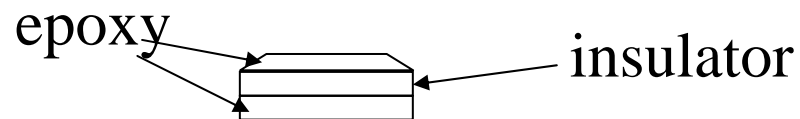
A Simple Thermal Network Model





A Simple Thermal Network Model (cont.)

- Determine the temperature gradient from TO-3 case to the heat sink



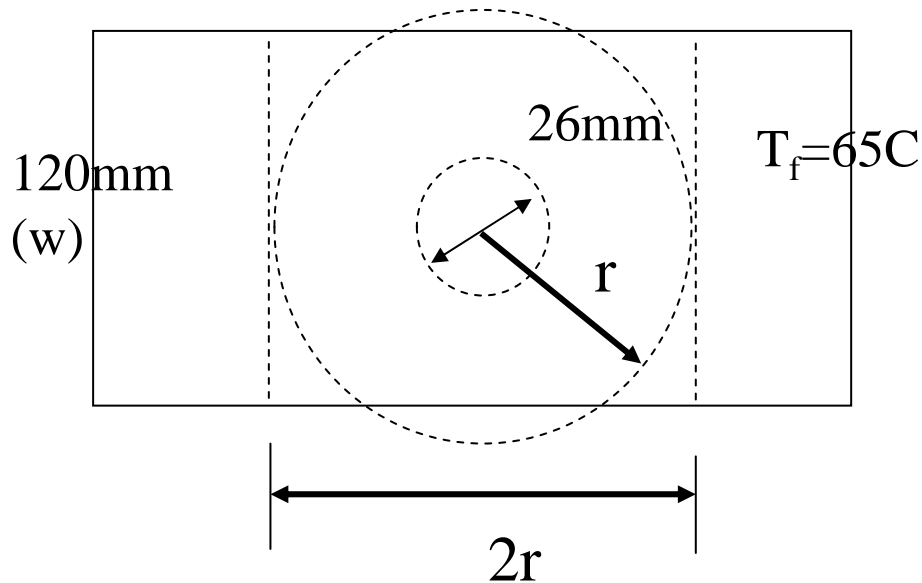
$$\Delta T_m = Q \times R_m = 55 \left[\frac{1.5}{0.0276 \pi \left(\frac{26}{2} \right)^2} + \frac{2(0.025)}{0.0004 \pi \left(\frac{26}{2} \right)^2} \right] = 18.6 \text{C}$$



A Simple Thermal Network Model (cont.)

- Determine the temperature gradient from TO-3 mounting area through the heat sink base to the farest edge

120 mm \gg 26 mm !

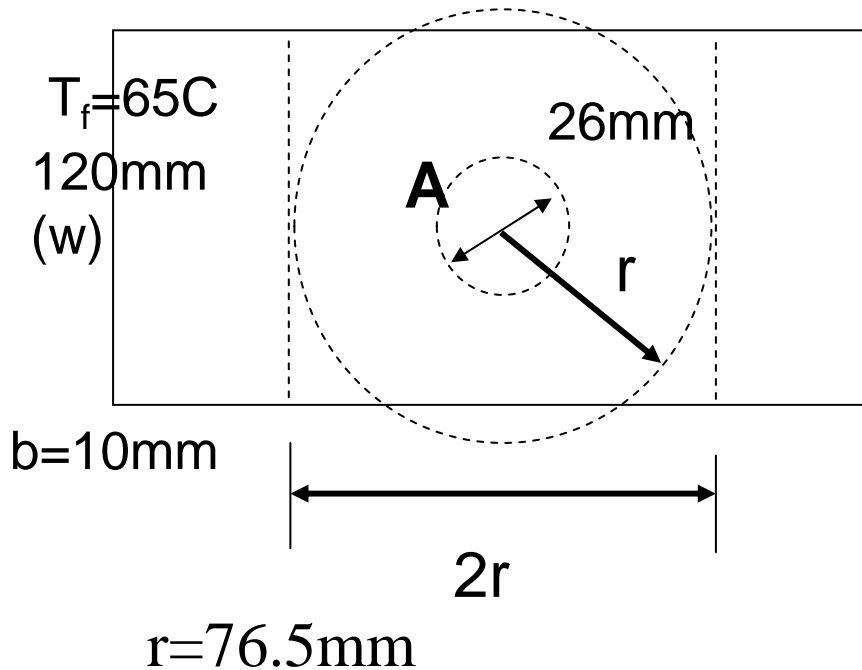


$$2wr = \pi r^2$$

$$r = \frac{2w}{\pi} = \frac{2 \times 120}{\pi} \\ = 76.5 \text{ mm}$$



A Simple Thermal Network Model (cont.)



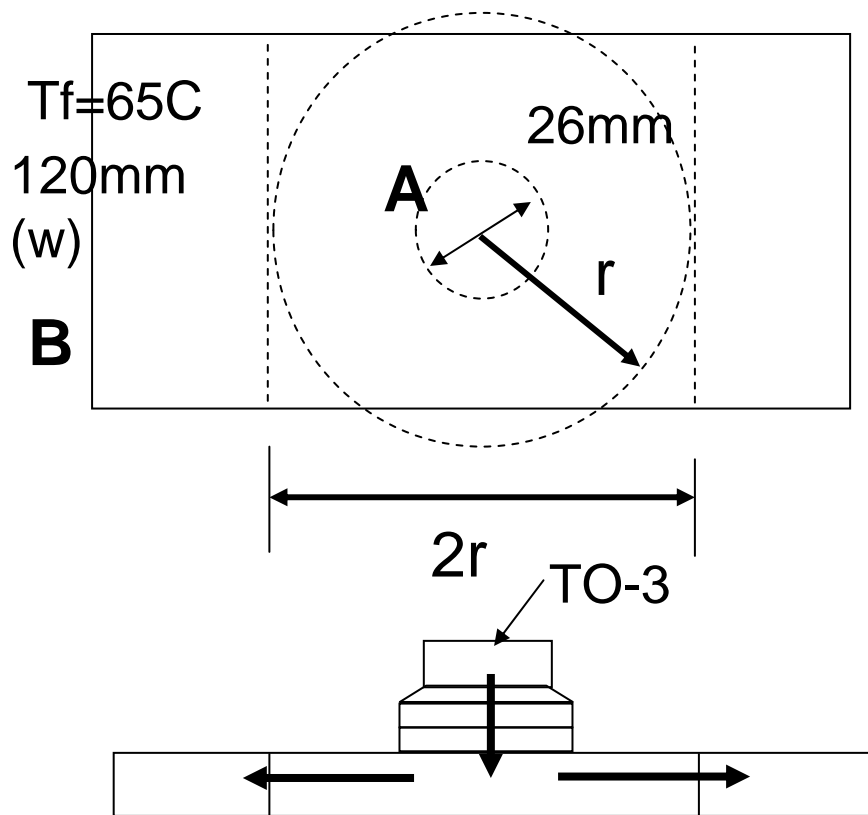
$$\begin{aligned}
 \Delta T_{AB} &= Q \left(\frac{1}{2\pi K_{HS} b} \ln \left(\frac{d_o}{d_i} \right) \right) + \frac{Q}{2} \left(\frac{L}{K_{HS} w b} \right) \\
 &= 55 \left(\frac{1}{2\pi \times 0.2165 \times 10} \ln \left(\frac{76.5 \times 2}{26} \right) \right) + \\
 &\quad \frac{55}{2} \left(\frac{(200 - 2 \times 76.2) / 2}{0.2165 \times 120 \times 10} \right) \\
 &= 9.7C
 \end{aligned}$$

$$R = \frac{1}{2\pi K b} \ln \left(\frac{D_o}{D_i} \right)$$

D_i : diameter of the inner cylinder
 D_o : diameter of the outer cylinder
 K : thermal conductivity of the cylinder
 b : thickness (length) of the cylinder



A Simple Thermal Network Model (cont.)

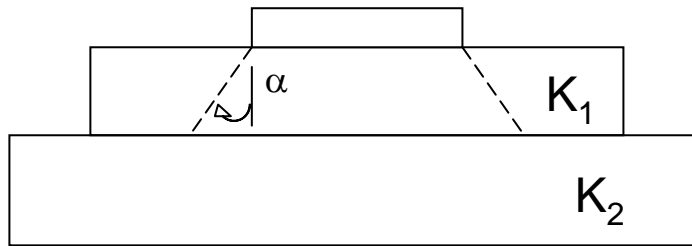


$$\begin{aligned} T_j &= T_f + \Delta T_{AB} + \Delta T_m + \Delta T_{TO} \\ &= 65 + 9.7 + 18.7 + 55 \times 1.52 \\ &= 177C \end{aligned}$$



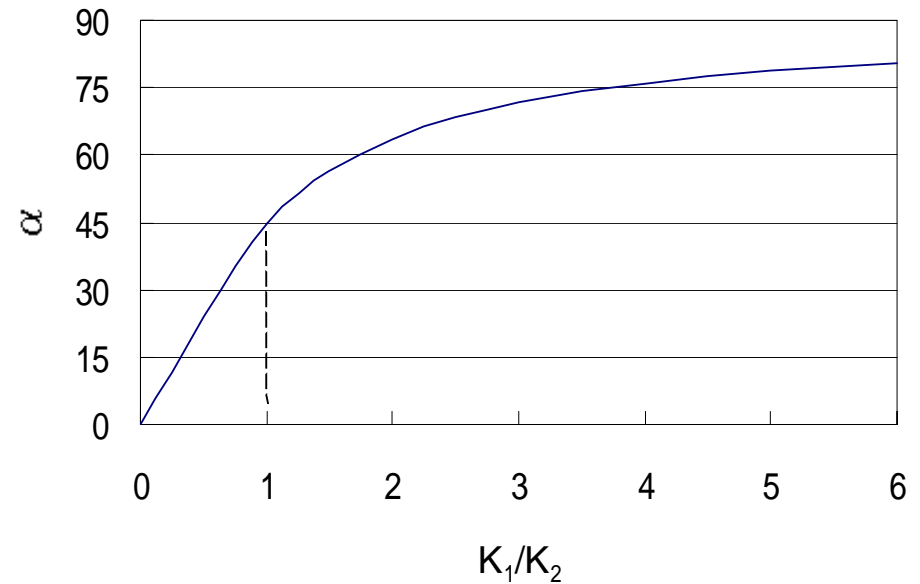
Heat Spreading

- Model of heat spreading



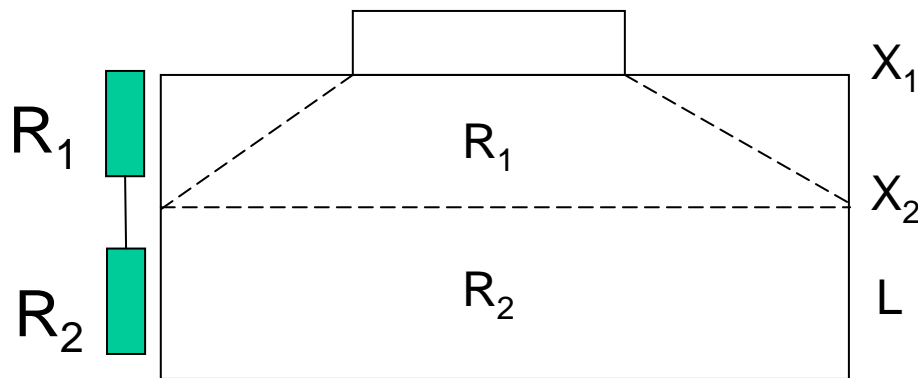
- Model 1
$$\alpha = \tan^{-1} \left(\frac{K_1}{K_2} \right)$$

- Model 2
$$\alpha = 45^\circ$$





Heat Spreading



$$R_1 = \int_{X_1}^{X_2} \frac{dX}{kA(x)}$$

$$R_2 = \frac{L}{KA}$$

$$R = R_1 + R_2$$



Convective Thermal Resistance

- Newton's cooling law

$$Q = hA(T_w - T_o)$$

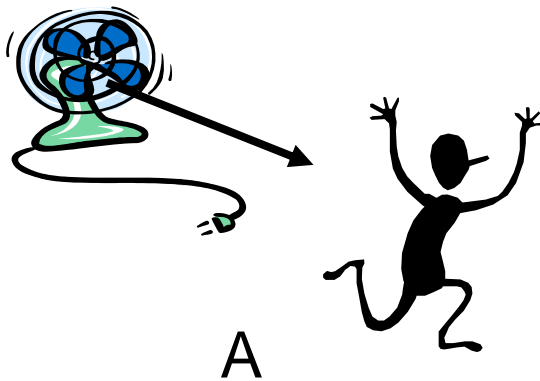
Q Heat flow (W)

A Area (m²)

T_w Wall temperature

T_o Fluid temperature

h Heat transfer coefficient (W/m²C)



- Convective thermal resistance

$$R = \frac{1}{hA}$$



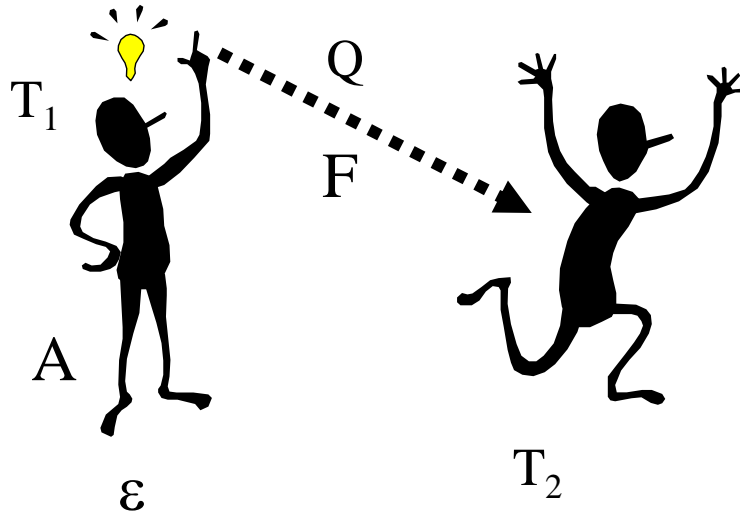
Heat Transfer Coefficient

- Heat transfer coefficient is a characteristic of flow field, not a fluid property!
- **DO NOT COPY ANY EQUATION INTO YOUR MODEL EXCEPT YOU HAD VERIFIED IT BY EXPERIMENTAL WORKS!**
- **EACH PROBLEM HAS ITS UNIQUE HEAT TRANSFER COEFFICIENT!**
- *WHAT SHOULD WE DO?*



Radiation Heat Transfer

- Energy is transferred by electromagnetic wave



$$Q = \varepsilon\sigma FA(T_1^4 - T_2^4)$$

$$R = \frac{1}{hA}$$

$$h = \varepsilon\sigma F(T_1^2 + T_2^2)(T_1 + T_2)$$

F: View Factor

T: Temperature (K)

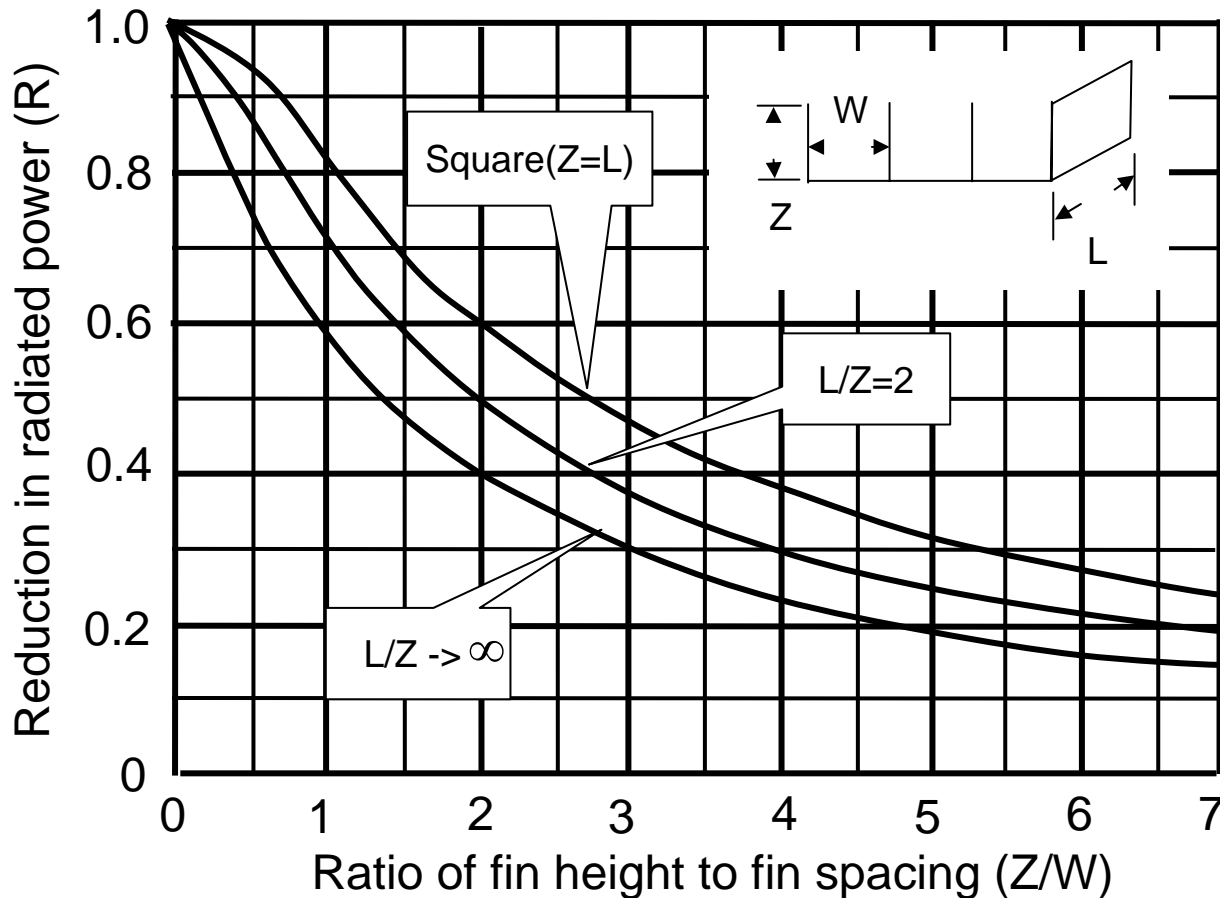
ε : Emissivity

σ : Stephan-Boltzman constant
($5.673E-12 \text{ W/cm}^2\text{K}^4$)

Surface	Emmissivity
Commercial Aluminum (polished)	0.05
Anodized Aluminum	0.80
Aluminum	0.27~0.67
Commercial Copper (Polished)	0.07
Oxidized Copper	0.70
Stainless Steel (Polished)	0.17
Stainless Steel (With heavy oxide)	0.85
Oil Paints (Any color)	0.92
Molding Compound	0.8 ~ 0.85



Reduction of Heat Transfer Area (View Factor)



$$Q = \varepsilon \sigma F A (T_1^4 - T_2^4)$$
$$= \varepsilon \sigma S_r (T_1^4 - T_2^4)$$

- S_r Effective radiating area of the subject surface, taking into account shielding effects



Misunderstanding

- False
 - Radiation is only significant in very high temperature.
- True
 - Co-existing for natural convection and radiation
 - Radiation almost occupies 1/3 !
 - Equivalent heat transfer coefficient

$$h = h_c + h_r$$

h_c : heat transfer coefficient from natural convection

h_r : heat transfer coefficient from radiation



Analogy of Several Physical Theories

Heat Transfer

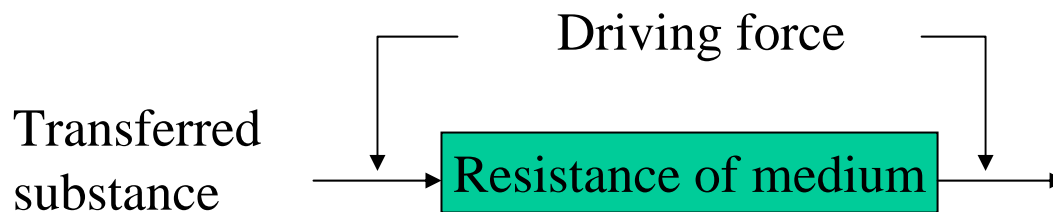
- Heat flow Q (W)
- Temperature difference ΔT (C)
- Thermal resistance R (C/W)
- $\Delta T = RQ$
- Fourier law

Electricity

- Current I (Amp)
- Voltage drop ΔV (Volt)
- Electrical desistance R (Ω)
- $\Delta V = RI$
- Ohm's law

Force

- Displacement X (m)
- Force F (kg)
- Stiffness K (m/kg)
- $F = KX$
- Hook's law





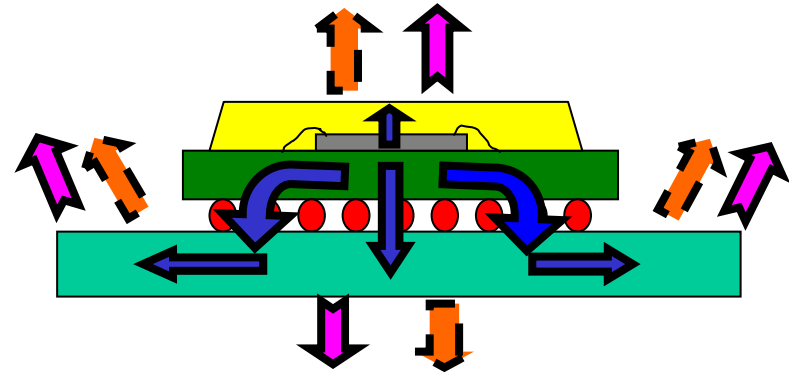
Summary

- Conduction $R = \frac{L}{KA}$

- Convection $R = \frac{1}{hA}$

- Radiation $R = \frac{1}{hA}$

$$h = \varepsilon\sigma F(T_1^2 + T_2^2)(T_1 + T_2)$$





Numerical Analysis of Electronic Cooling - Thermal Network Method



Numerical Simulation of Electronic Cooling

- Objective
 - To understand thermal performance of IC package: thermal resistance
 - To obtain the trends of thermal performance improvement
- What we want to have
 - Temperature distribution
 - Thermal resistance
 - Heat transfer distribution

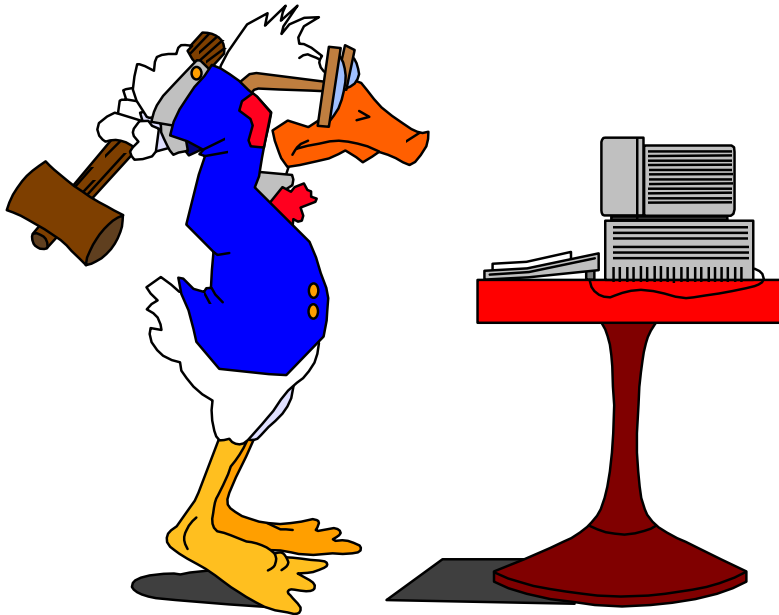


Numerical Software for Electronic Cooling

- ANSYS: General Purpose, FEM
- FloTherm : Specific purpose from system to component level), FVM
- ThermoPKG for Windows NT & 95: Specific purpose for component level developed by ERSO/ITRI, FEM
- Others



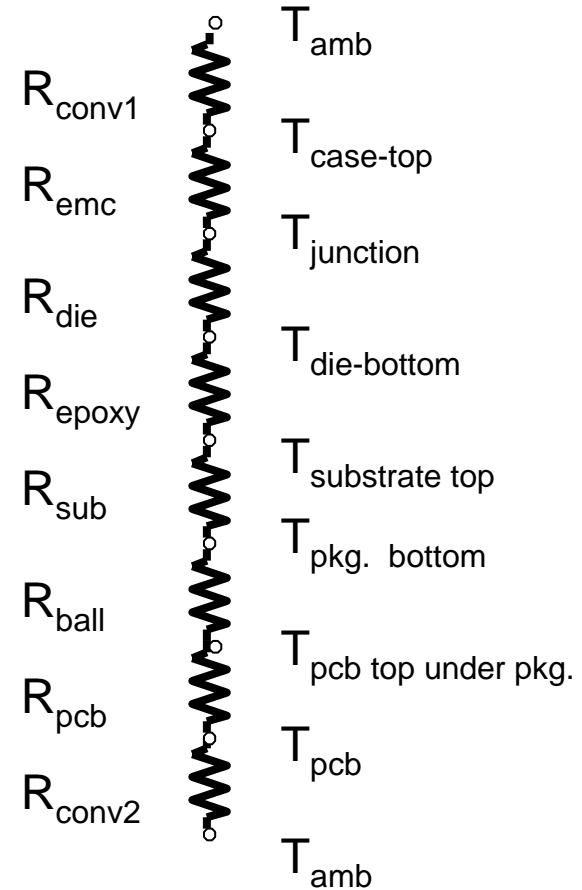
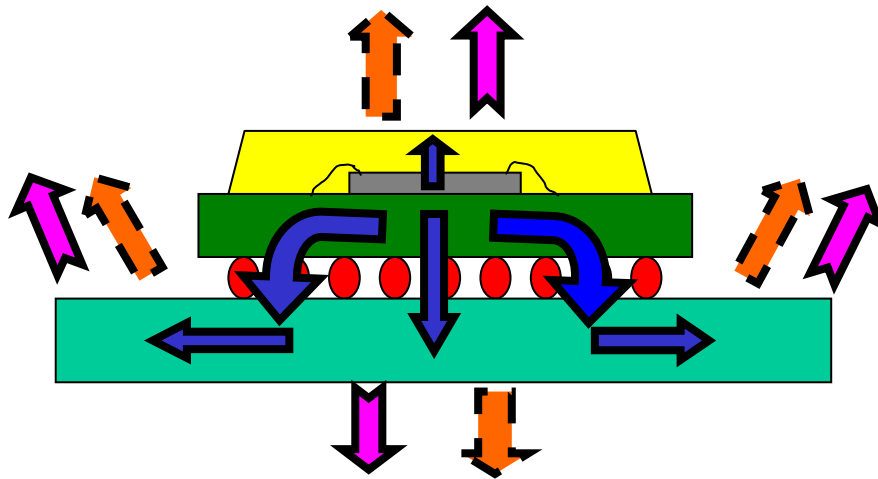
Numerical Simulation Methods



- Thermal network method
 - From thermal-electrical analogy to obtain algebraic equation
- Finite element method
 - From energy integral to obtain algebraic equation
- Finite difference method
 - From difference equation to obtain algebraic equation

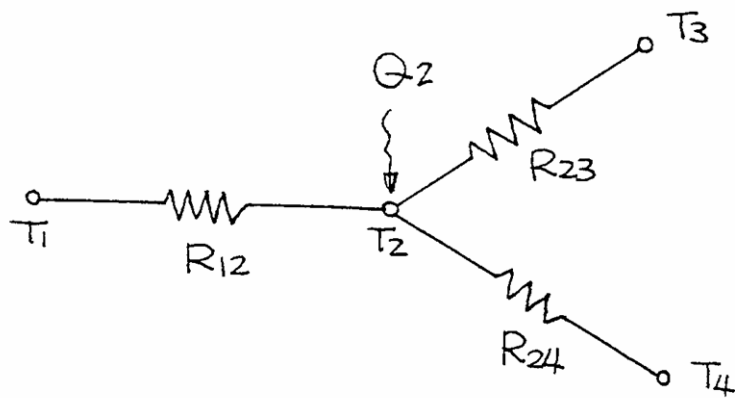


Thermal Network Method





Basic Theory of Thermal Network Method



For Point 2

$$Q_{in} = Q_{out}$$

$$\frac{T_1 - T_2}{R_{12}} + Q_2 = \frac{T_2 - T_3}{R_{23}} + \frac{T_2 - T_4}{R_{24}}$$

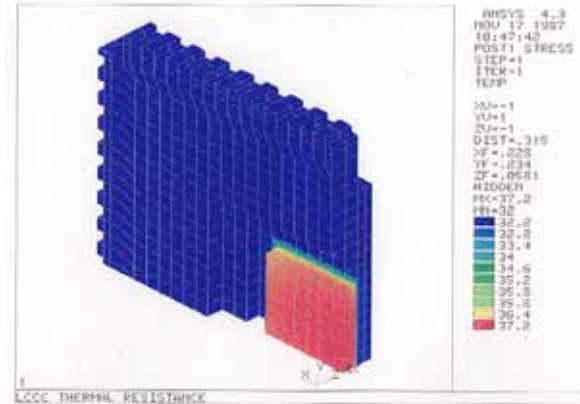
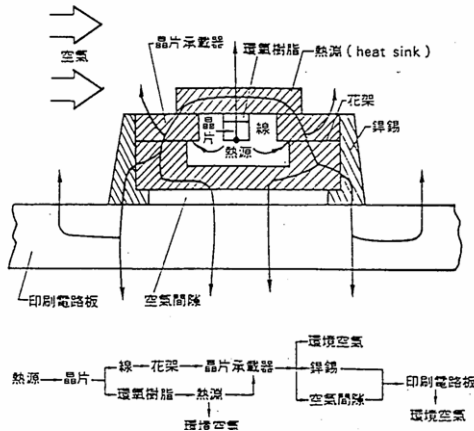
$$\left(\frac{1}{R_{12}} + \frac{1}{R_{23}} + \frac{1}{R_{24}} \right) T_2 = \frac{T_1}{R_{12}} + \frac{T_3}{R_{23}} + \frac{T_4}{R_{24}} + Q_2$$

$$T_j = \frac{\sum_{i \neq j} \frac{1}{R_{ij}} T_i + Q_j}{\sum_{i \neq j} \frac{1}{R_{ij}}}$$

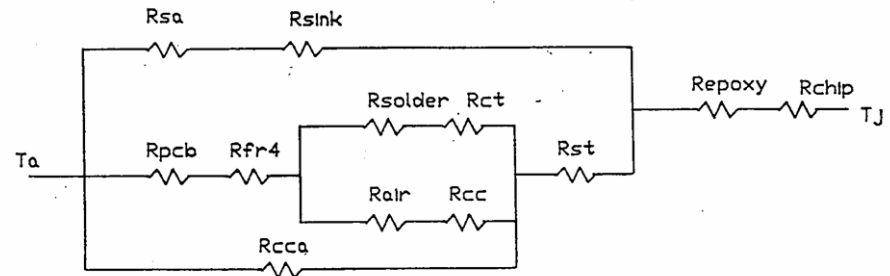
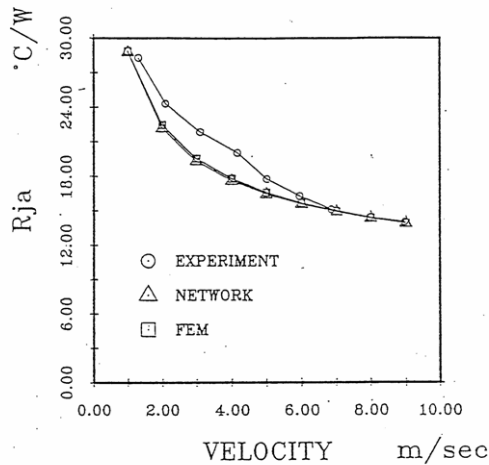


Example of Thermal Network Method

•68 PAD LCCC (Leadless Ceramic Chip Carrier)



FEM: Nodes:4765; Elements:3453

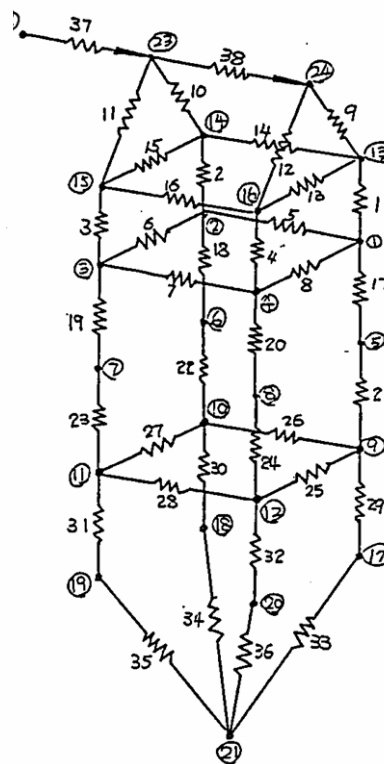
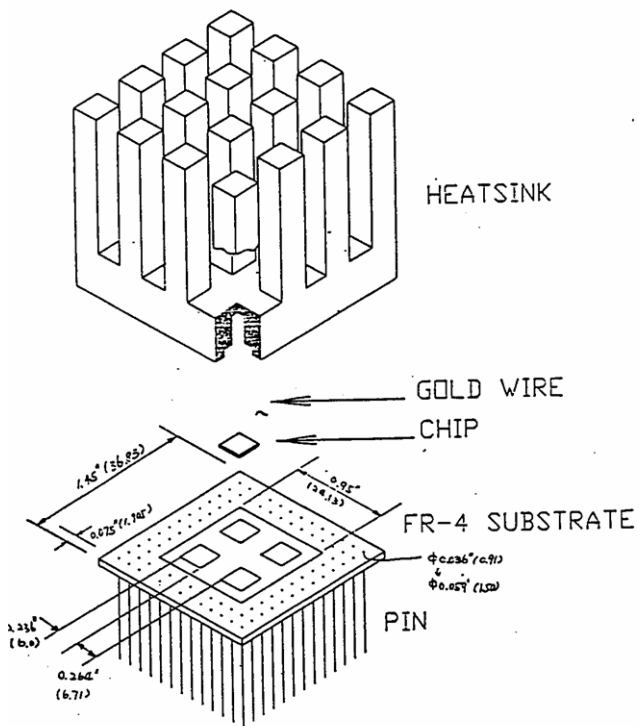


Thermal Network Method
(Nodes: 10; Elements: 12)



Example of Thermal Network Method

•Four Chip Module Chip Module



1~38 : Element number

① ~ ②④ : Node number

Natural convection case:
connect elements
9,10,11,12 to node 22,
no elements 37,38 and
nodes 23,24



Example of Thermal Network Method

Forced Convection Thermal Resistance

Unit : C/W

Velocity (m/sec)	Chip 1		Chip 2		Chip 3		Chip 4		Case Temp.	
	Exp.	Net.	Exp.	Net.	Exp.	Net.	Exp.	Net.	Exp.	Net.
3.82	38.77	36.49	20.80	21.98	20.65	21.59	20.86	21.98	20.37	21.37

Note : Chip 1 (0.98W) ; Ambient Temperature 18.52C

Forced Convection Thermal Resistance

Unit : C/W

Velocity (m/sec)	Chip 1		Chip 2		Chip 3		Chip 4		Case Temp.	
	Exp.	Net.	Exp.	Net.	Exp.	Net.	Exp.	Net.	Exp.	Net.
6.96	41.75	41.89	44.81	40.27	45.88	41.01	47.67	42.44	24.50	23.98

Note : Chip 1 (1.02W)、 Chip 2 (0.92W)、 Chip 3 (0.97W)、 Chip 4 (1.07W)

Ambient Temperature 19.62C

Natural Convection Thermal Resistance

Unit : C/W

Chip 1		Chip 2		Chip 3		Chip 4		Case Temp.	
Exp.	Net.	Exp.	Net.	Exp.	Net.	Exp.	Net.	Exp.	Net.
70.0	70.34	67.5	69.01	72.1	69.75	70.7	70.58	55.2	58.45

Note : Chip 1 (0.71W)、 Chip 2 (0.62W)、 Chip 3 (0.67W)、

Chip 4 (0.73W) ; Ambient Temperature 18.7C



Summary

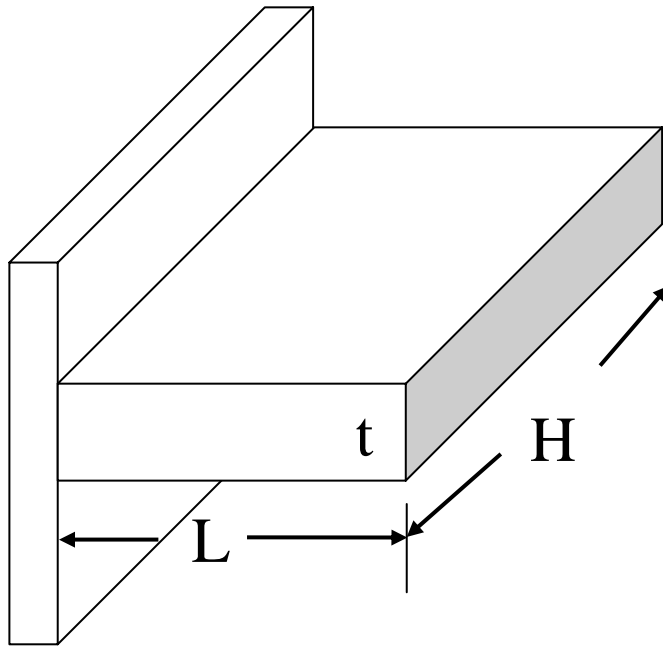
- Keys to Success For Thermal Network Method
 - 遠觀其勢，近取其值
 - Identify correctly the major heat transfer paths
 - Identify correctly the major thermal resistances
 - Engineer's judgment
 - Key: heat spreading effect
 - It's an art!
 - Again and again



Thermal Analysis of Heat Sink



Fin Efficiency (E)



$$E = \frac{\text{actual heat transfer}}{\text{heat transfer based on base temperature}}$$
$$= \frac{Q_t}{Q} = \frac{h_e A_s (T_s - T_a)}{h A_s (T_s - T_a)}$$
$$= \tanh \sqrt{R_k / R_s} / \sqrt{R_k / R_s}$$

where

$$R_k = \frac{L}{k A_k} = \frac{L}{k H t} \quad R_s = \frac{1}{h A_s} = \frac{1}{h H L}$$

h : average heat transfer coefficient

h_e : effective heat transfer coefficient

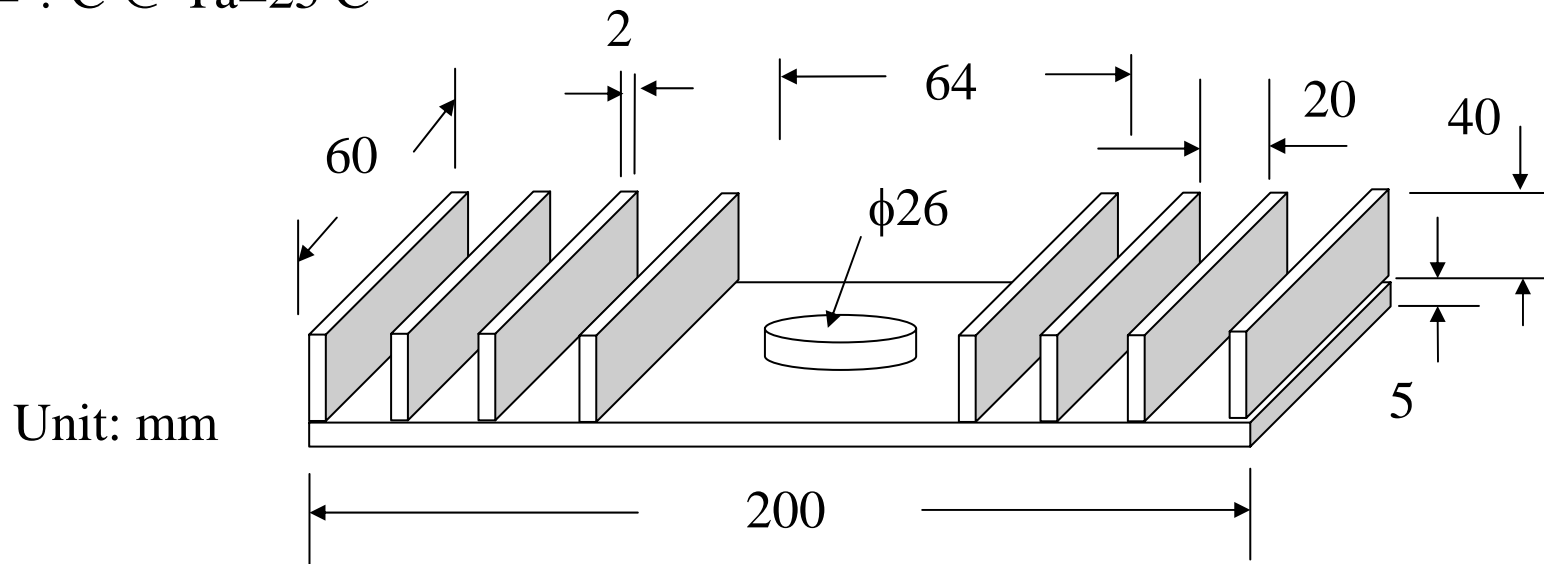
T_s : fin base temperature

T_a : ambient temperature



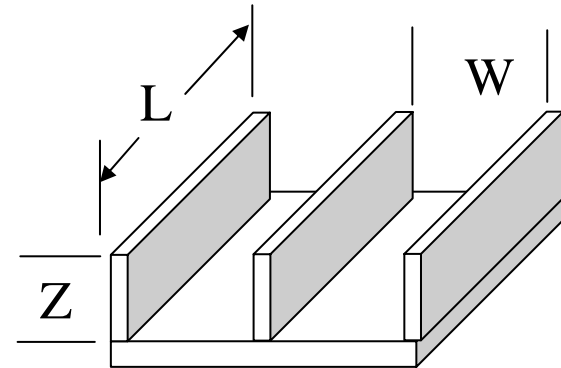
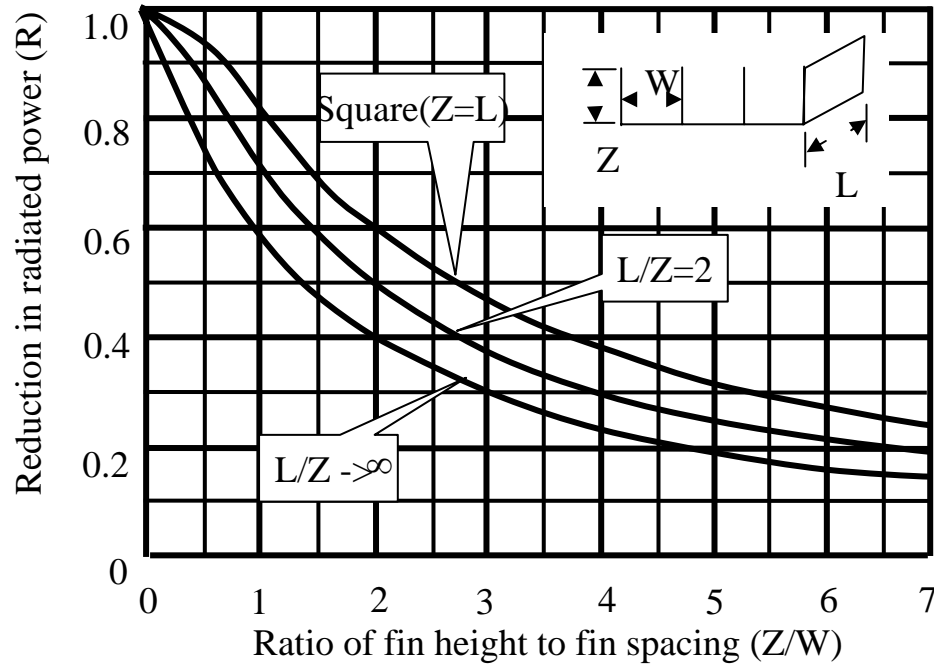
Example

- TO-3: junction - to - heat sink surface temperature difference = 60.3 C
- Power dissipation = 25 W
- Anodized heat sink
- Natural Convection
- $T_j = ? \text{ C @ } T_a = 25 \text{ C}$





Effective Radiation Area

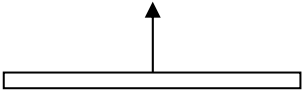


Radiation Area $S_r = 327\text{cm}^2$

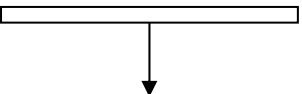
Number of Surface	L/Z	Z/W	Surface Area (cm ²)	f	Effective Surface (cm ²)
2	-	-	$2(4.5 \cdot 6) = 54$	-	54
6	1.5	2	$6(4 + 4 + 2) \cdot 6 = 360$	0.55	198
1	1.5	0.63	$(6.4 + 4 + 4) \cdot 6 = 86.4$	0.87	75
			500		327



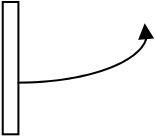
Calculation of Natural Convection


$$A_1 = 20 * 6 = 120 \text{ cm}^2$$

$$h_1 = 0.0022(\Delta T/P)^{0.25} \text{ W/in}^2\text{C}$$
$$P = 20 * 6 / 2(20 + 6) = 2.308 \text{ cm} = 0.91 \text{ in}$$
$$h_1 = 2.2533 * 10^{-3} * \Delta T^{0.25} \text{ W/in}^2\text{C}$$
$$= 3.493 * 10^{-4} * \Delta T^{0.25} \text{ W/cm}^2\text{C}$$


$$A_2 = 20 * 6 = 120 \text{ cm}^2$$

$$h_2 = 0.0011(\Delta T/P)^{0.25} \text{ W/in}^2\text{C}$$
$$P = 20 * 6 / 2(20 + 6) = 2.308 \text{ cm} = 0.91 \text{ in}$$
$$h_2 = 1.1262 * 10^{-3} * \Delta T^{0.25} \text{ W/in}^2\text{C}$$
$$= 1.7457 * 10^{-4} * \Delta T^{0.25} \text{ W/cm}^2\text{C}$$


$$A_3 = 2 * (4.5 * 6) + 14 * (4 * 6)$$
$$= 390 \text{ cm}^2$$

$$h_3 = 0.0024(\Delta T/P)^{0.25} \text{ W/in}^2\text{C}$$
$$P = 4 \text{ cm} = 1.575 \text{ in}$$
$$h_3 = 2.142 * 10^{-3} * \Delta T^{0.25} \text{ W/in}^2\text{C}$$
$$= 3.320 * 10^{-4} * \Delta T^{0.25} \text{ W/cm}^2\text{C}$$



Power Dissipation Calculation

- Radiation: Anodized: $\varepsilon=0.8$

$$\begin{aligned}Q_r &= \varepsilon \sigma S_r (T_s'^4 - T_a'^4) \\&= 5.673 \times 10^{-12} \times 0.8 \times 327 \times \left[(T_s + 273)^4 - (25 + 273)^4 \right] \\&= 1.484 \times 10^{-9} \times \left[(T_s + 273)^4 - 298^4 \right] \quad (\text{W})\end{aligned}$$

- Natural Convection

$$\begin{aligned}Q_c &= h_1 A_1 \Delta T + h_2 A_2 \Delta T + h_3 A_3 \Delta T \\&= 0.0419 \Delta T^{1.25} + 0.0209 \Delta T^{1.25} + 0.1295 \Delta T^{1.25} \\&= 0.1923 \Delta T^{1.25} = 0.1923 (T_s - 25)^{1.25} \quad (\text{W})\end{aligned}$$

- Total Heat Dissipation $Q = Q_c + Q_r$



Power Dissipation Calculation

- Assume 1/2 - 1/2 heat dissipation

$$\frac{25}{2} = 0.1923(T_s - 25)^{1.25} = 0.1923\Delta T^{1.25}$$

$$\Delta T = [(25/2)/0.1923]^{0.8} = 28.21 \text{ C}$$

$$T_s = \Delta T + 25 = 53.21 \text{ C}$$

Nonlinear Problem!
Iteration!

- Calculate radiation heat dissipation

$$Q_r = 1.489 \times 10^{-9} [(T_s + 273)^4 - 298^4] \\ = 5.1 \text{ W}$$

- Calculate residue heat dissipation

$$Q^* = 25 - 25/2 - 5.1 = 7.4 \text{ W}$$



Power Dissipation Calculation

- Assume 2/3 - 1/3 heat dissipation

$$Q_c = 25/2 + 7.4 \times 2/3 = 17.4 \text{ W}$$

$$17.4 = 0.1923(T_s - 25)^{1.25} = 0.1923\Delta T^{1.25}$$

$$\Delta T = 36.81 \text{ C}$$

$$T_s = \Delta T + 25 = 61.81 \text{ C}$$

- Calculate radiation heat dissipation

$$\begin{aligned} Q_r &= 1.489 \times 10^{-9} [(T_s + 273)^4 - 298^4] \\ &= 6.94 \text{ W} \end{aligned}$$

- Calculate residue heat dissipation

$$Q^* = 25 - 17.4 - 6.94 = 0.66 \text{ W}$$



Power Dissipation Calculation

- Assume 2/3 - 1/3 heat dissipation

$$Q_c = 17.4 + 0.66 \times 2/3 = 17.84 \text{ W}$$

$$17.84 = 0.1923(T_s - 25)^{1.25} = 0.1923\Delta T^{1.25}$$

$$\Delta T = 37.49 \text{ C}$$

$$T_s = \Delta T + 25 = 62.49 \text{ C}$$

- Calculate radiation heat dissipation

$$\begin{aligned} Q_r &= 1.489 \times 10^{-9} \left[(T_s + 273)^4 - 298^4 \right] \\ &= 7.1 \text{ W} \end{aligned}$$

- Calculate residue heat dissipation

Convergence!

$$Q^* = 25 - 17.84 - 7.1 = 0.06 \text{ W} \Rightarrow Q_t = 25 - 0.06 = 24.94 \text{ W}$$



Temperature Calculation

•Fin Efficiency

$$E = \frac{\tanh \sqrt{R_k/R_s}}{\sqrt{R_k/R_s}}$$

$$R_k = \frac{4}{2.165 \times (0.2 \times 6)} = 1.54 \text{ C/W}$$

$$R_s = \Delta T / Q_t = 37.49 / 24.94 = 1.50 \text{ C/W} \quad \text{for entire surface}$$

$$R_s = 1.5 \times 8 = 12 \text{ C/W} \quad \text{for entire surface}$$

$$E = \frac{\tanh \sqrt{R_k/R_s}}{\sqrt{R_k/R_s}} = 0.96 = 96\%$$

$$\Delta T_t = \Delta T / E = 37.49 / 0.96 = 39.05 \text{ C}$$

$$\begin{aligned} T_j &= T_a + \Delta T_t + \Delta T_{js} = 25 + 39.05 + 60.3 \\ &= 124.35 \text{ C} \end{aligned}$$



Summary

- Co-existing for natural convection and radiation
- Radiation almost occupies 1/3 !
- Equivalent heat transfer coefficient $h=h_c+h_r$ should be used in the calculation
- 1/3-2/3 method is introduced to have the equivalent heat transfer coefficient quickly



Measurement of Thermal Resistance



Standards for Thermal Resistance Measurement

- Major Standards
 - *MIL-STD-833C-METHOD 1012.1* THERMAL CHARACTERISTICS
 - *SEMI G38-96* : TEST METHOD FOR STILL- AND FORCED-AIR JUNCTION-TO-AMBIENT THERMAL RESISTANCE MEASUREMENTS OF INTEGRATED CIRCUIT PACKAGES
 - *SEMI G42-96* : SPECIFICATION FOR THERMAL TEST BOARD STANDARIZATION FOR MEASURING JUNCTION-TO-AMBIENT THERMAL RESISTANCE OF SEMICONDUCTOR PACKAGES
 - *EIAJ/JEDEC EIA/JESD51-1* : INTEGRATED CIRCUIT THERMAL MEASUREMENT METHOD-ELECTRICAL TEST METHOD (SINGLE SEMICONDUCTOR DEVICE)
 - *EIAJ/JEDEC EIA/JESD51-2* : INTEGRATED CIRCUIT THERMAL TEST METHOD ENVIRONMENTAL CONDITIONS-NATURAL CONVECTION (STILL AIR)



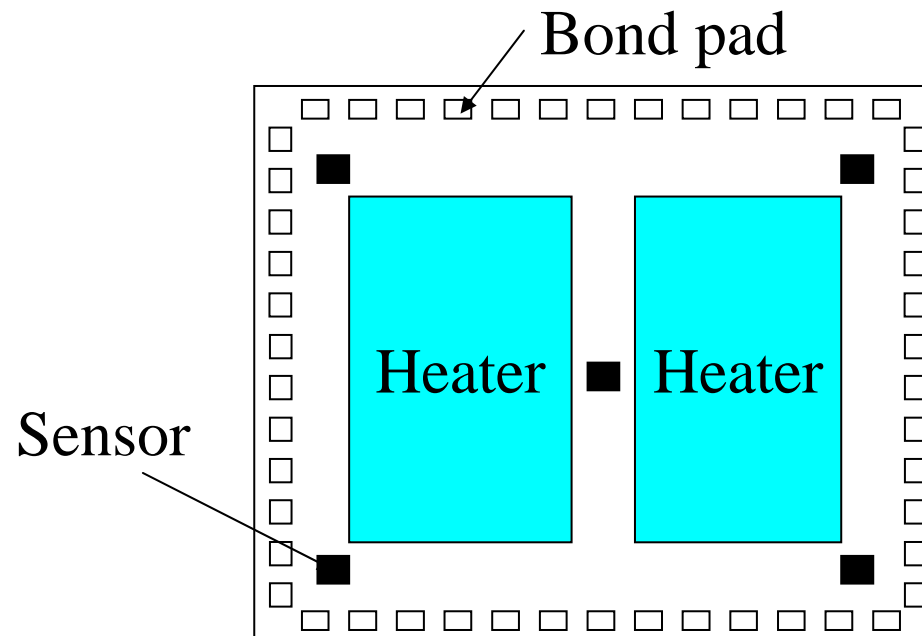
Equipment Requirements

- Thermocouple: type-T; welded, AWG 30 or above
- Voltage measurement resolution: 0.5 mV
- Temperature measurement system resolution: ± 0.5 C
- Volume flow rate: ± 10 %
- Wire: AWG 36
- Standard test board: G42-96



Design of Thermal Chip

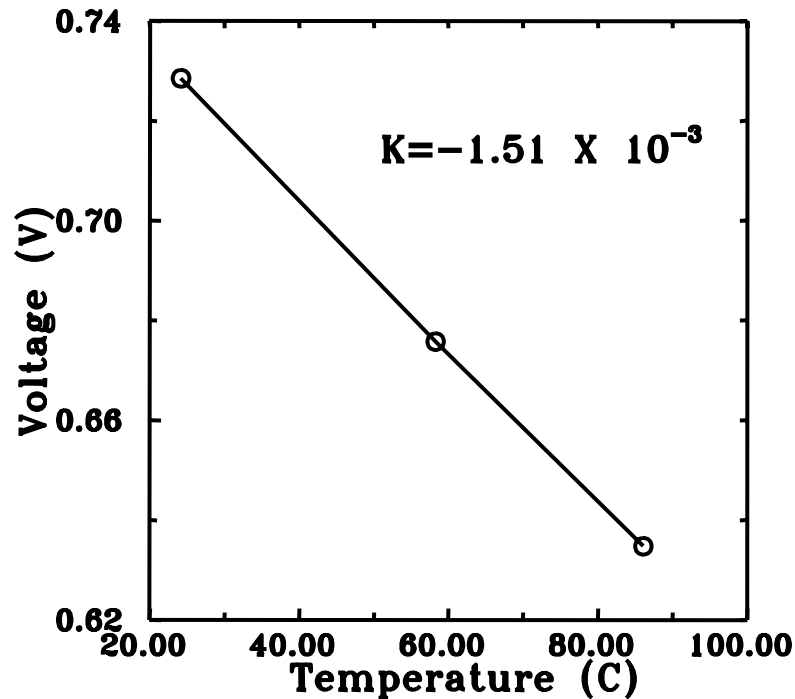
- Basic elements:
 - Diode sensor
 - Heater





Fundamental Theory

- Temperature sensitive parameter (TSP)



$$K = \frac{\Delta V}{\Delta T}$$

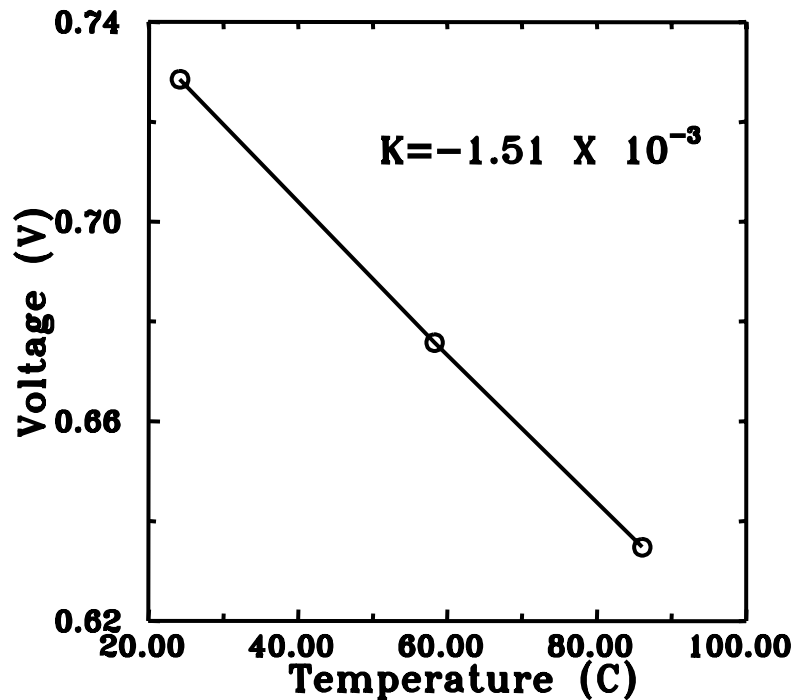


Procedures of Measurement

- Calibration of TSP
 - Objective: To obtain the TSP of sensors
- Measurement under heating
 - Objective: To obtain the packaging thermal resistance
 - Forced convection
 - Natural convection



Calibration of TSP



- TSP calibration
 - HEAT chamber : oven, or fluid bath
 - Measuring current: 0.05~5 mA (1mA)
 - Three points required
 - Calculating TSP



Measurement: Natural Convection

- Objective: to investigate the relationship between thermal resistance and power dissipation
- Enclosure: 1.0 x 1.0 x 1.0 feet
- High reflectance finish: emissivity < 0.1
- $\Delta T > 20 \text{ C}$
- Room temperature measurement (T_a , V_a) 及 heating measurement (T_j , V_j , P_j)

$$T_j = T_a + (V_j - V_a) / K$$

$$R_{ja} = (T_j - T_a) / P_j$$

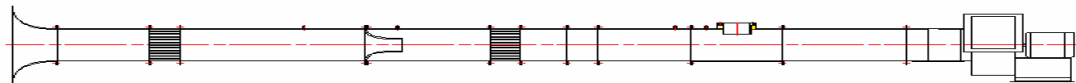


Measurement: Forced Convection

- Objective: To obtain the relationship between thermal resistance and flow velocity
- Wind Tunnel: inner diameter 8 inch
- $\Delta T > 20\text{ C}$
- Room temperature measurement (T_a, V_a) 及 heating measurement (T_j, V_j, P_j)

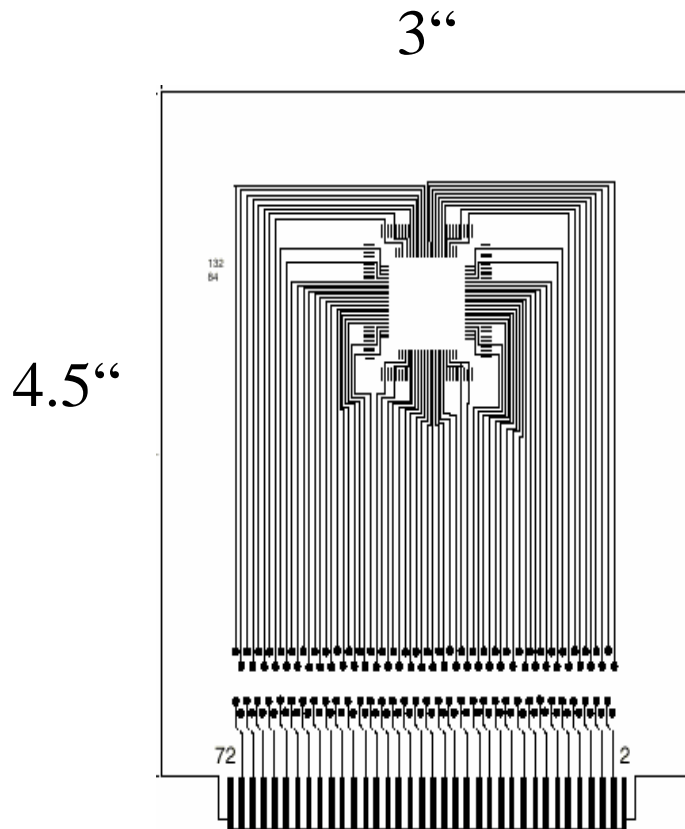
$$T_j = T_a + (V_j - V_a) / K$$

$$R_{ja} = (T_j - T_a) / P_j$$





SEMI Standard Test Board



- 3 inch x 4.5 inch
- Double / Multi-layer FR-4 board



Summary

- TSP is the most important parameter for thermal resistance measurement of IC packaging
- Standards of thermal characterization are introduced



Thermal Performance of PBGA



Thermal Resistance

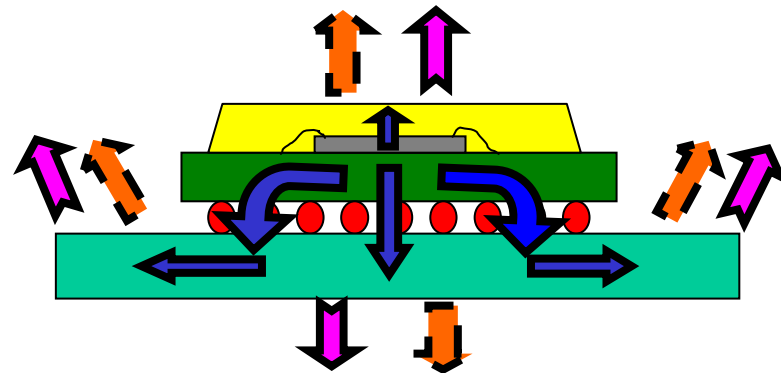
- Total thermal resistance R_{ja} : die junction - to - ambient
- Internal thermal resistance R_{jc} : die junction - to - case
- External thermal resistance R_{ca} : case - to -ambient

$$R_{ja} = R_{jc} + R_{ca}$$

$$R_{ja} = (T_j - T_a)/Q$$

$$R_{jc} = (T_j - T_c)/Q$$

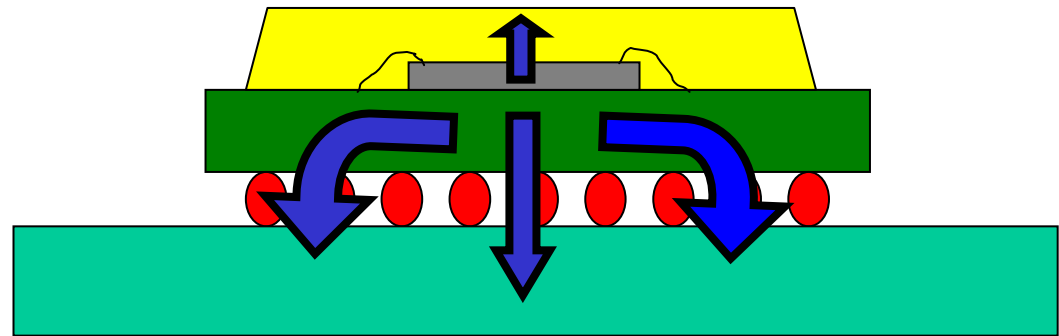
$$R_{ca} = (T_c - T_a)/Q$$





Internal Thermal Resistance

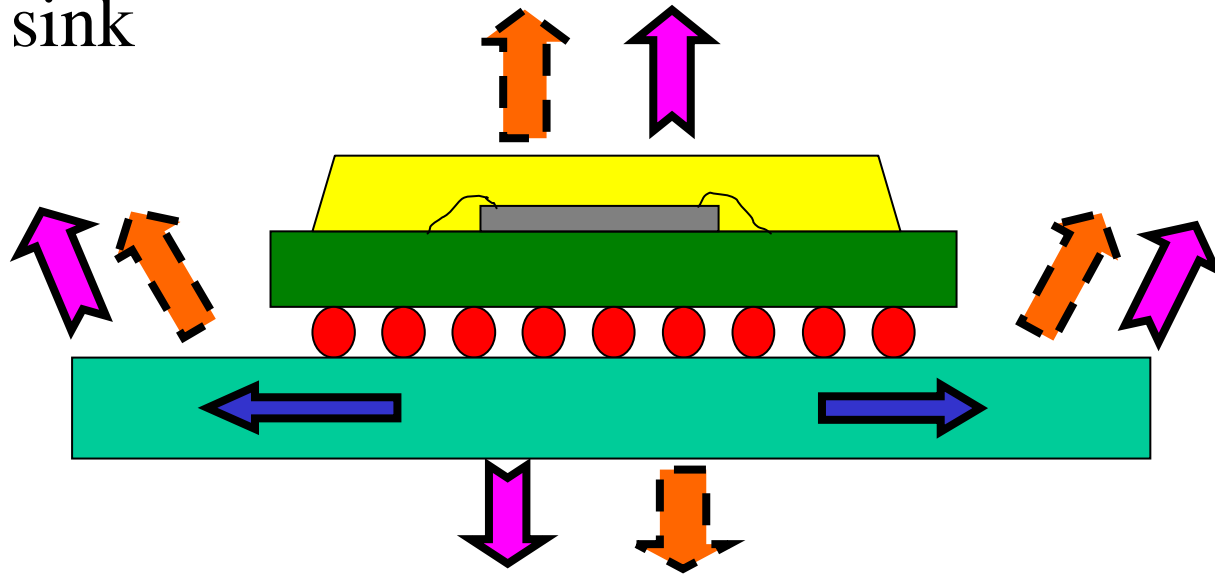
- Major parameters for R_{jc}
 - Molding compound
 - √ Substrate
 - √ Ground plane
 - Die size
 - √ Thermal ball
 - √ Thermal via
 - √ Heat spreader / heat slug





External Thermal Resistance

- Major parameters of R_{ca}
 - PCB
 - Air velocity
 - Heat sink

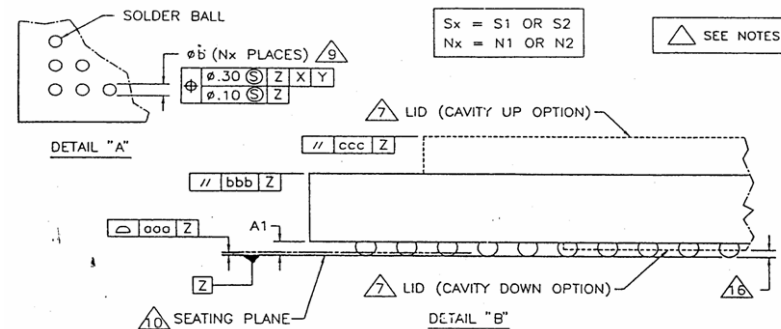
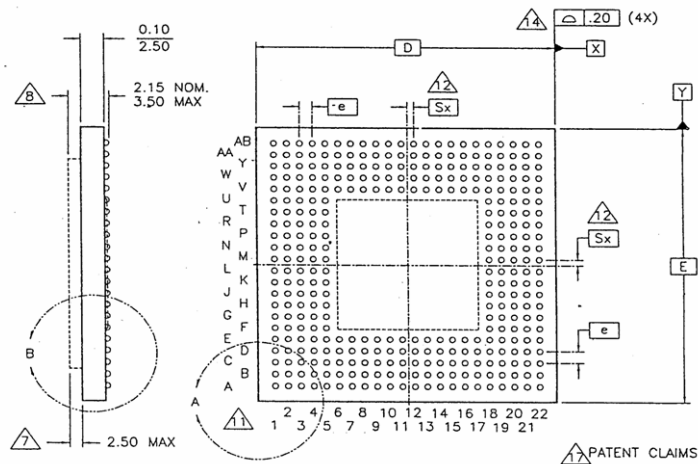




Thermal Analysis of PBGA

- Example: PBGA352

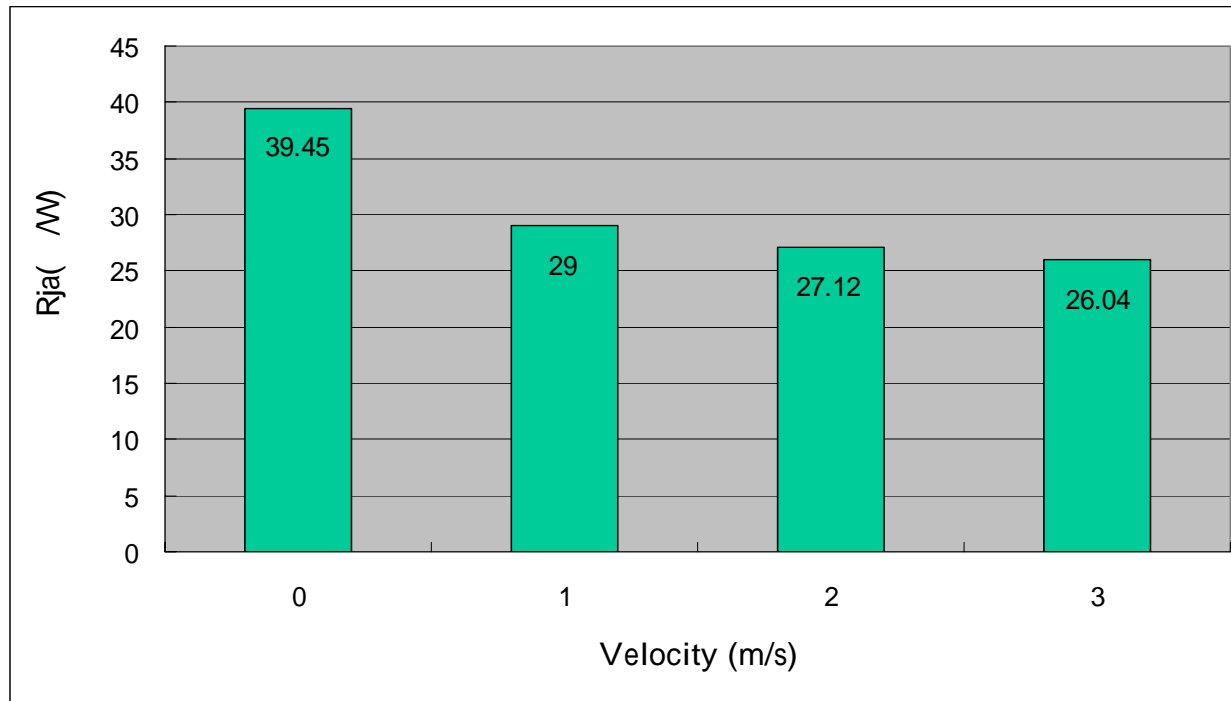
Base Condition: 2 layers BT substrate, 4 layers PCB, ground plane, 17 thermal vias, no thermal ball, natural convection, 1.5W





Simulation Tool

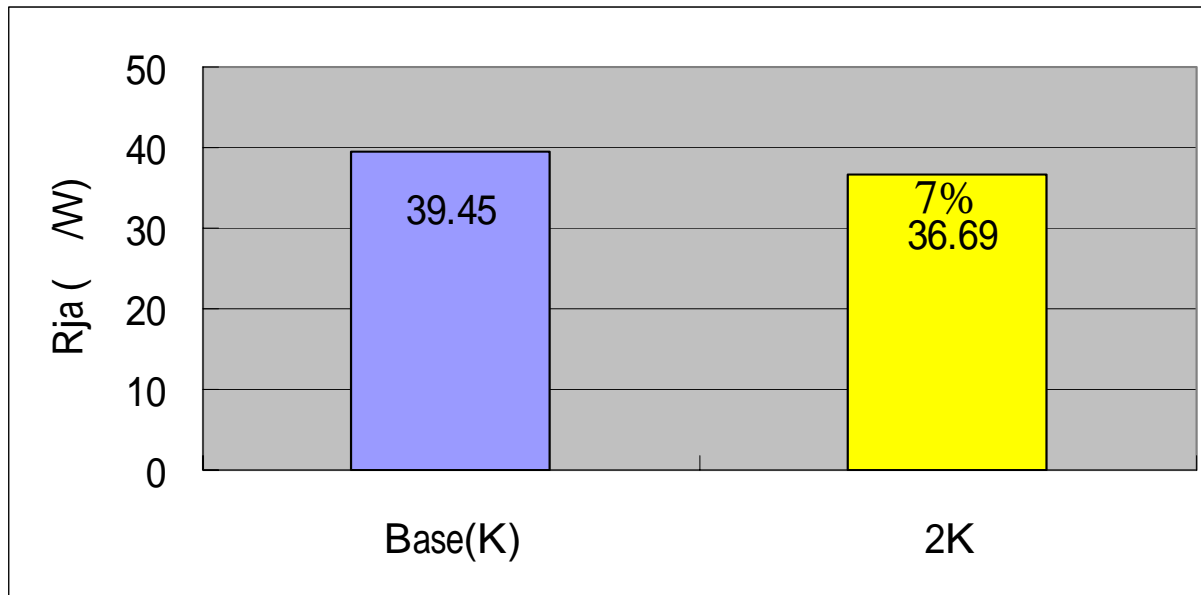
- Tool: ThermoPKG for Windows NT & 95 Version 3.0B (developed by ERSO/ITRI)





The Effects of Substrate

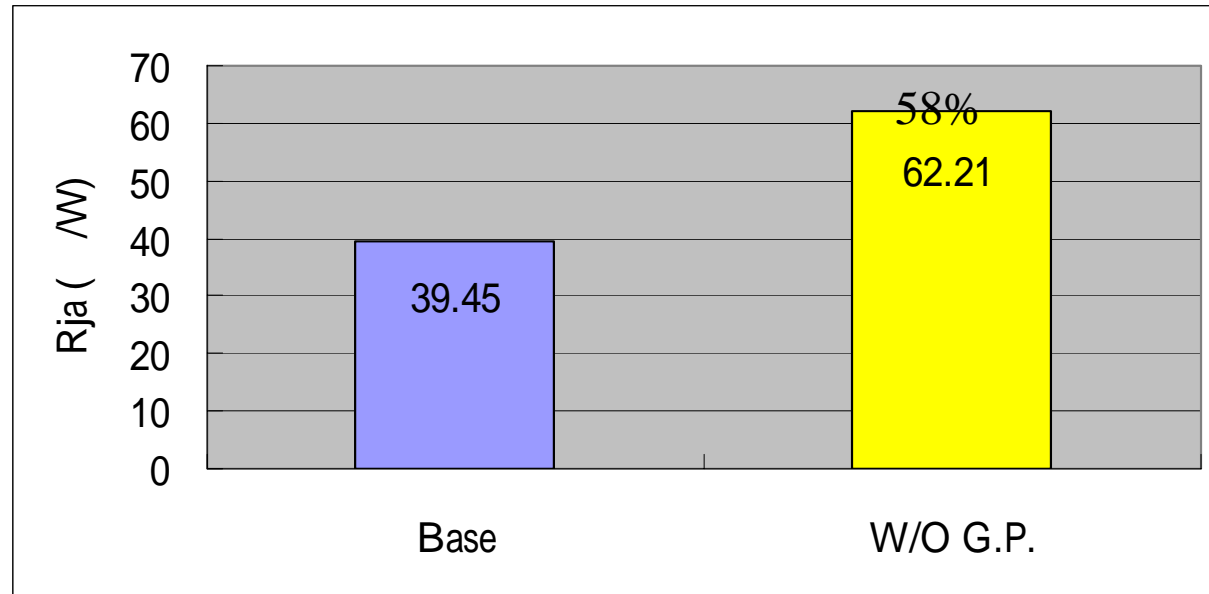
- Substrate





The Effects of Ground Plane

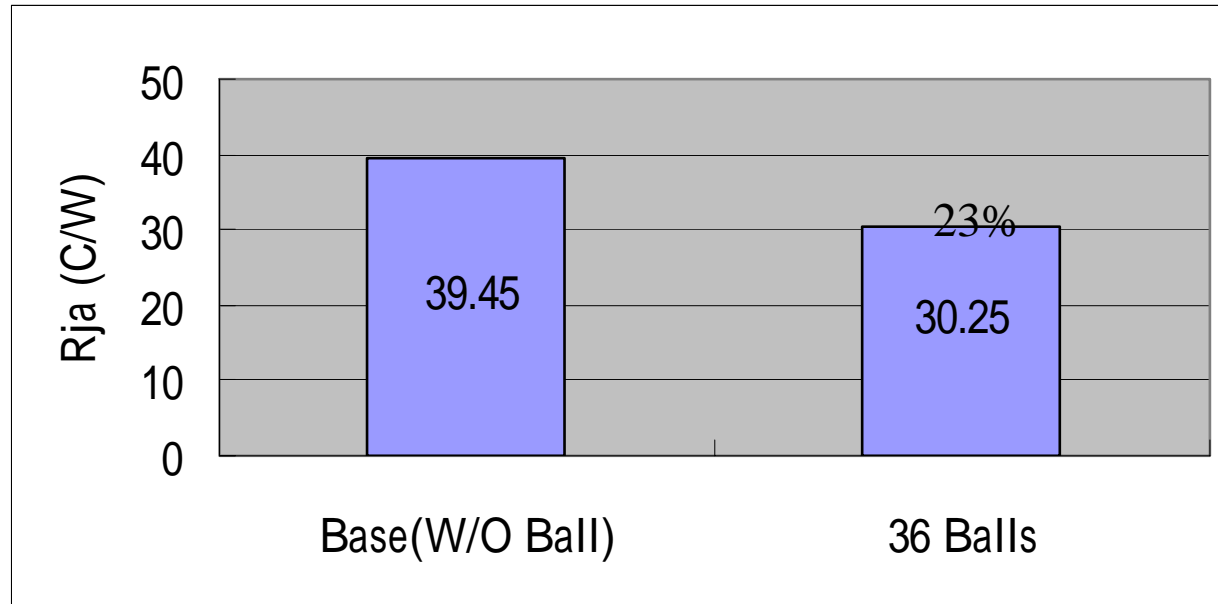
- Ground plane





The Effects of Thermal Ball

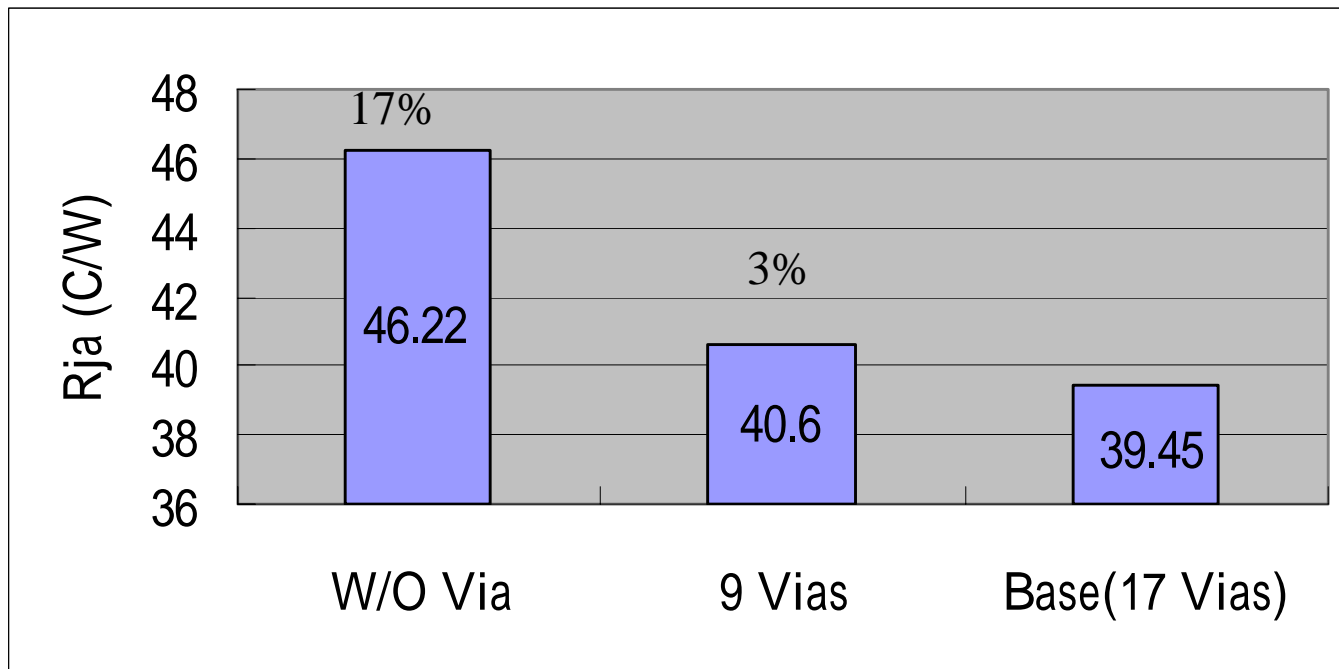
- Thermal ball





The Effects of Thermal Via

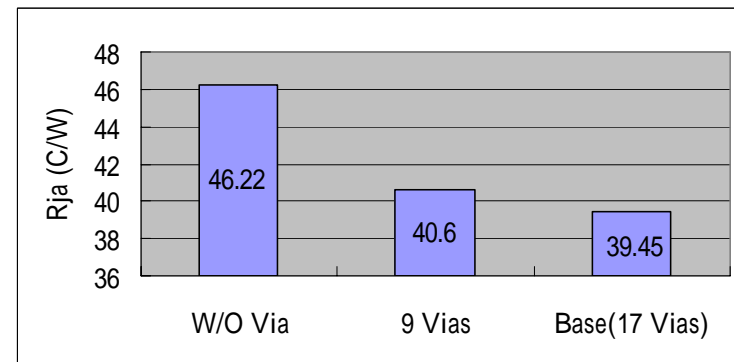
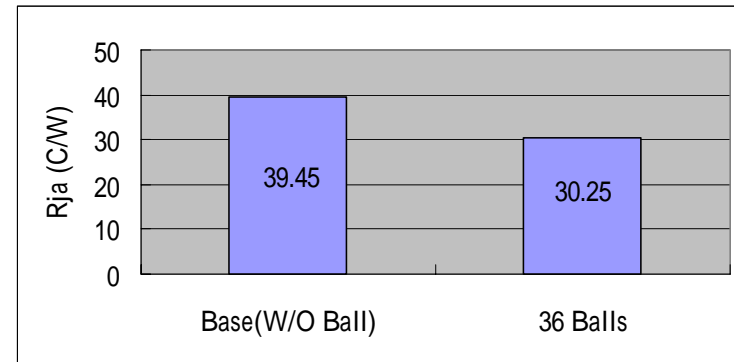
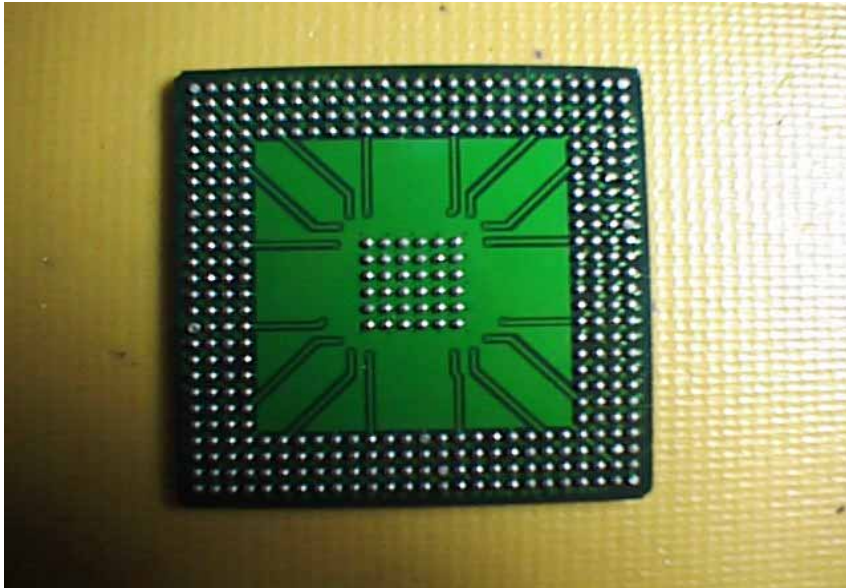
- Thermal via





Enhancement of Thermal Performance

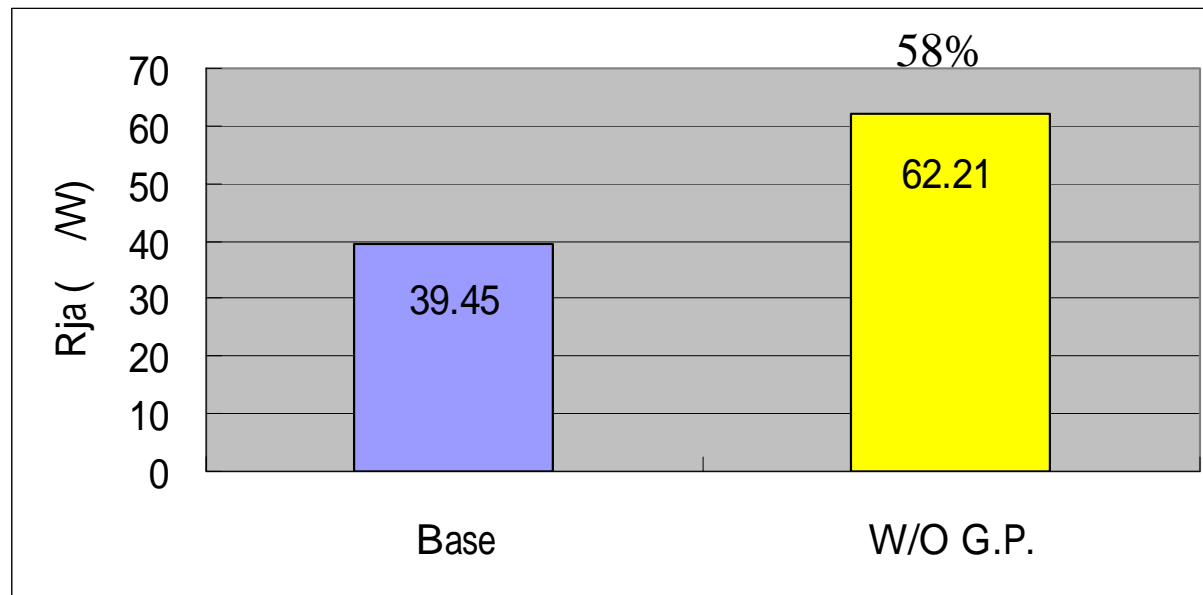
- Method 1 : Thermal Ball / Thermal Via
 - Reduce R_{ja} about 35% 及 15%





Enhancement of Thermal Performance

- Method 2: Ground Plane

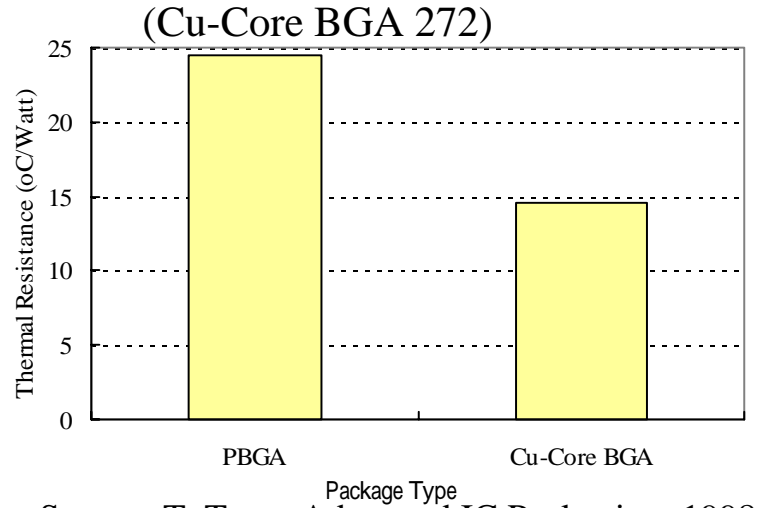
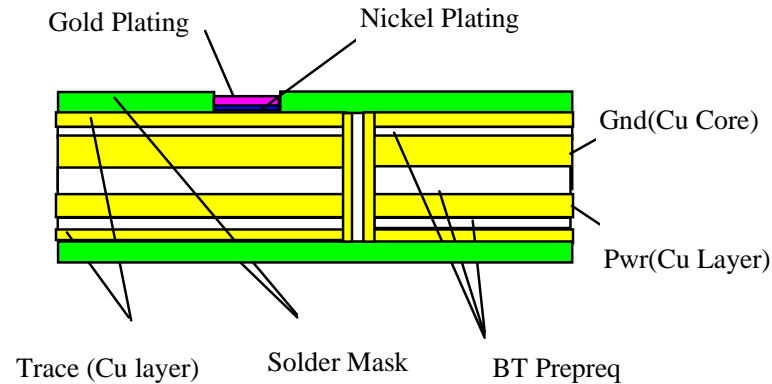
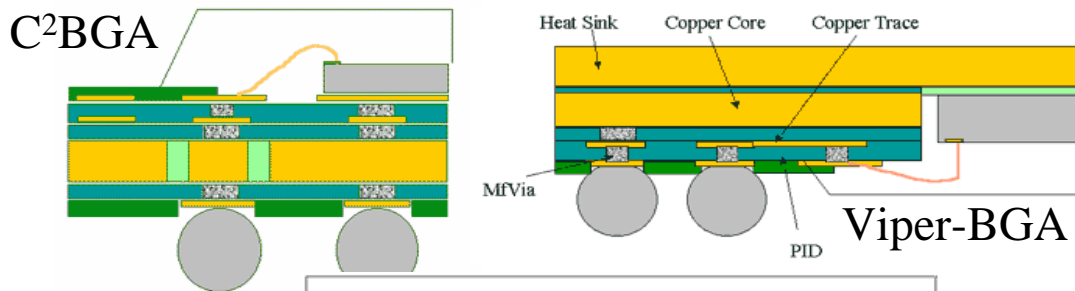


Base Condition: PBGA352, 2 layers BT substrate, 4 layers PCB, ground plane, 17 thermal vias, no thermal ball, natural convection, 1.5W

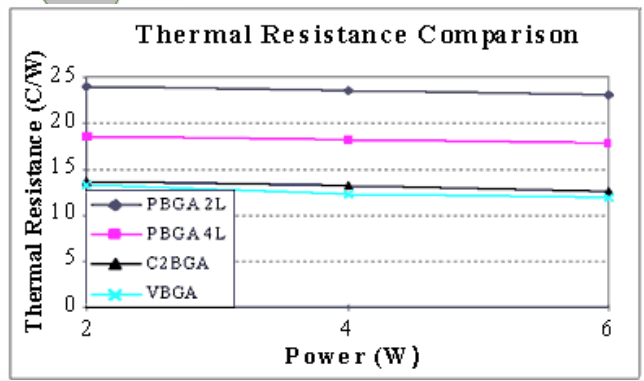


Enhancement of Thermal Performance

- Method 3 : Multilayer Substrate
 - Substrate with metal planes / copper core
 - Reduce R_{ja} about 35%~40%



Source: T. Tang, Advanced IC Packaging, 1998

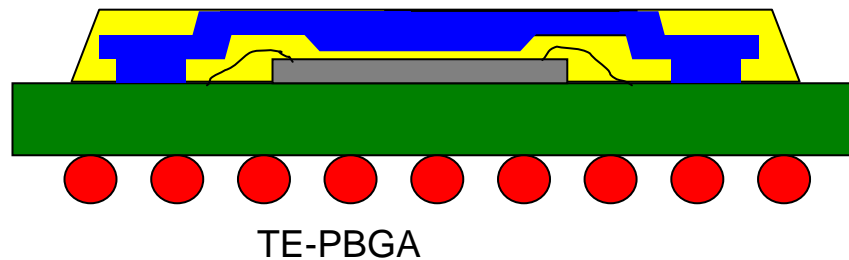
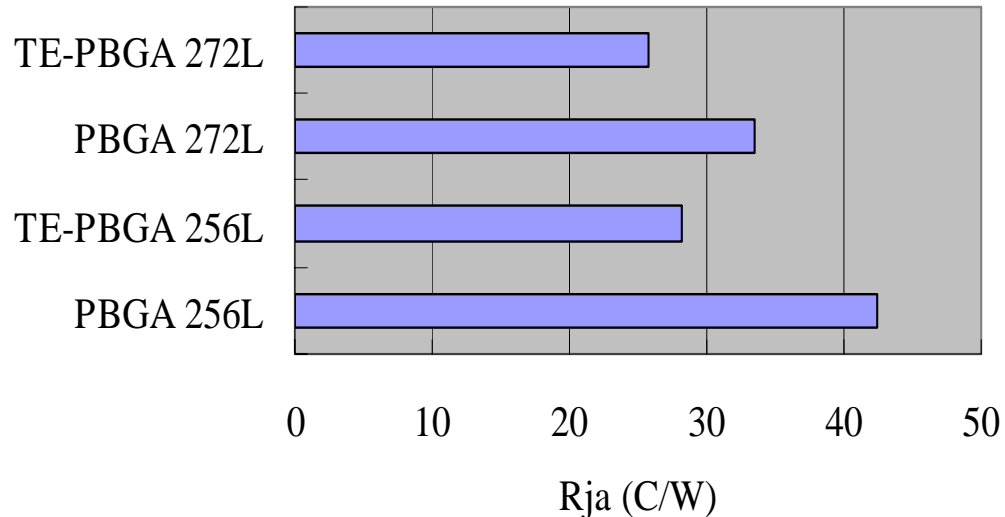
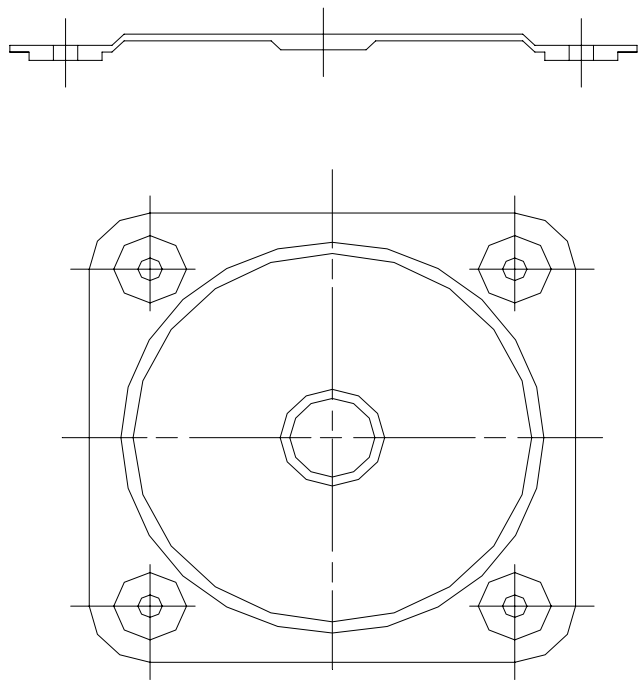


Source: Prolinx Labs



Enhancement of Thermal Performance

- Method 4 : Heat Spreader/Heat Slug



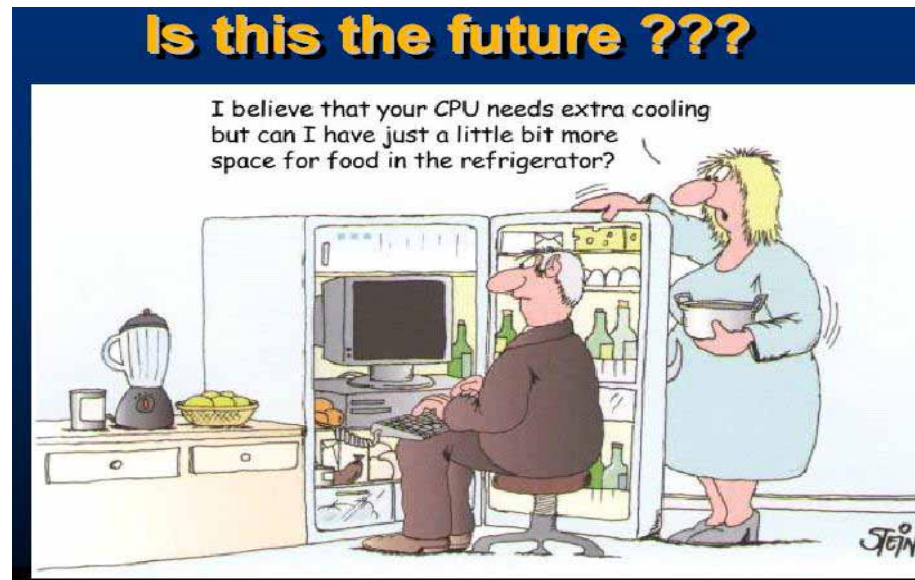


Summary

- Major parameters of internal thermal resistance are introduced
- Four methods of thermal enhancement for PBGA are introduced

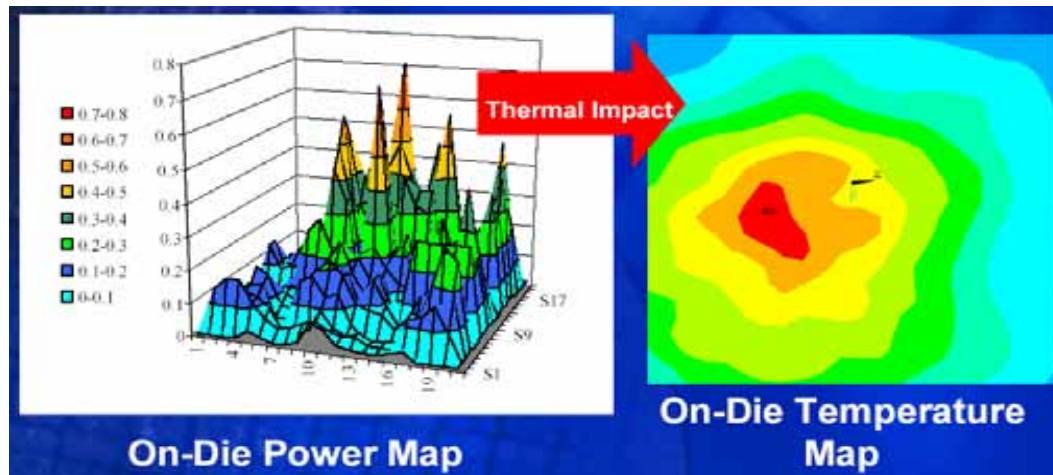
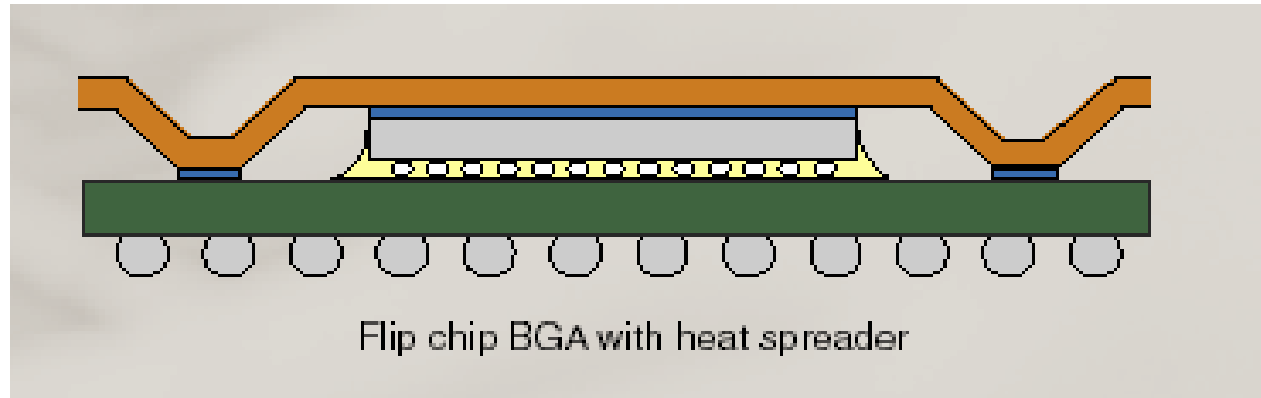


The Future





Integrated Heat Spreader

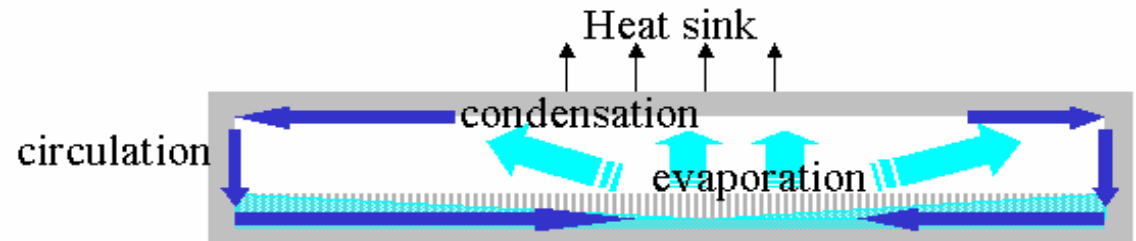
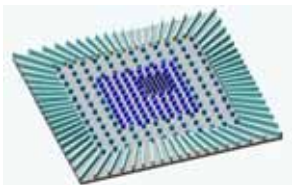
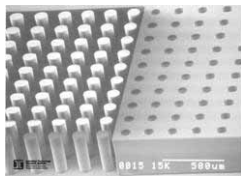
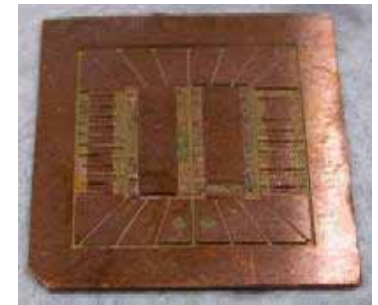
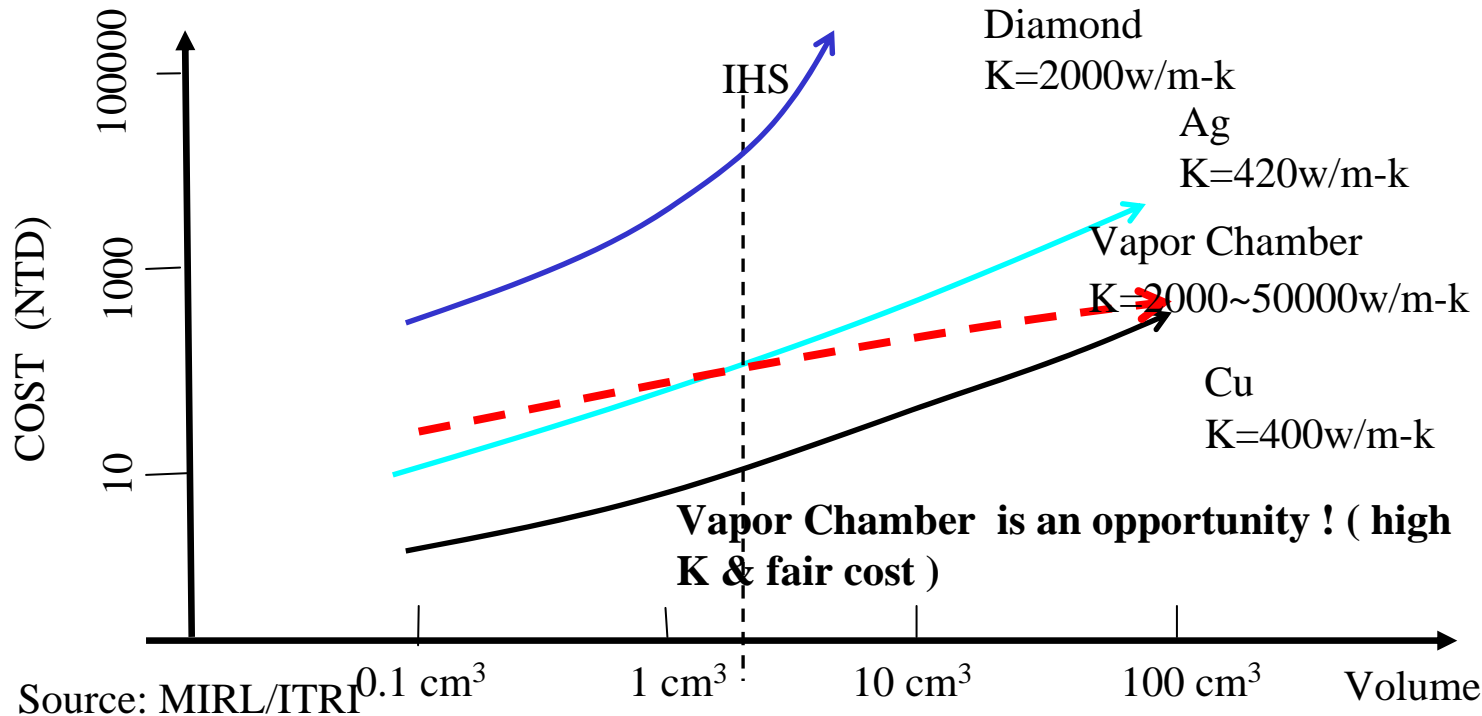


P4 with Integrated Heat Spreader (IHS)

Source: MIRL/ITRI

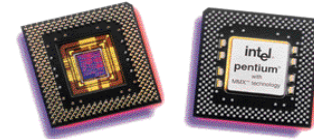
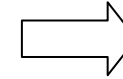
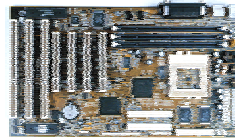
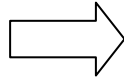


Candidates of Future IHS





Conclusions



System Level

Board Level

Component Level

INPUT DATA

- FRAME, SHELF & PCB PHYSICAL/THERMAL PROPERTIES
- PCB POWER LEVELS
- FAN DATA
- FRAME AMBIENT

- CHANNEL, BOARD & COMPONENT PHYSICAL/THERMAL PROPERTIES
- COMPONENT POWER LEVELS
- CHANNEL THERMAL & FLOW AMBIENT

- COMPONENT/CHIP PHYSICAL/THERMAL PROPERTIES
- CHIP POWER LEVELS
- BOARD & CHANNEL AMBIENT

OUTPUT DATA

- AVERAGE PCB TEMP
- MEAN CHANNEL AIR VELOCITY
- MEAN CHANNEL AIR TEMP
- FAN SELECTION

- COMPONENT CASE TEMP
- BOARD TEMP PROFILE
- CHANNEL TEMP PROFILE

- JUNCTION TEMP
- THERMAL RESISTANCE



Conclusion

- No one believes an analysis, except the one who made it
- Everyone believes an experiment, except the one who made it
- How about you?